

Baryo/Leptogenesis from Axion Inflation

Kyohei Mukaida

KEK

Based on [1905.13318](#), [2011.09347](#), 21xx.xxxxx

Collaboration with Y. Ema, V. Domcke, B. von Harling, K. Kamada, E. Morgante, R. Sato,
K. Schmitz, M. Yamada

1.

Introduction

Introduction

Cosmic Inflation v.s. Baryon Asymmetry

► **Inflation:** accelerated expansion of Universe

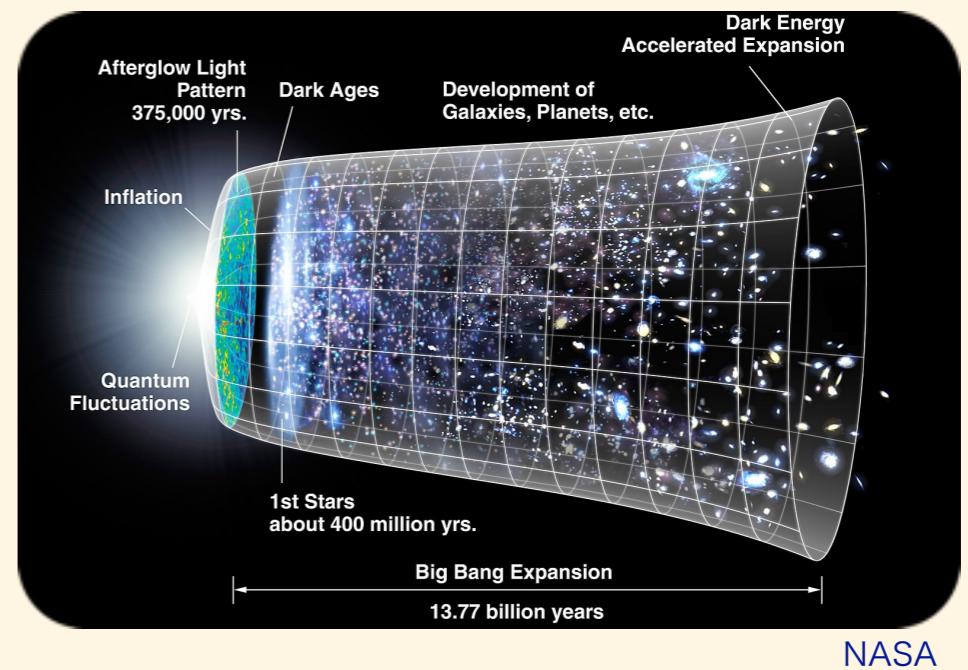
- **Solve** horizon/flatness problems + **Provide** density perturbations.
- Dilute unwanted relics, **but also baryons**.

► **Baryogenesis** after inflation

- Baryon to photon ratio $\rightarrow \eta = \frac{n_B}{n_\gamma} \simeq 6 \times 10^{-10}$

→ Baryogenesis from Inflation?

- Reheating requires couplings btw inflaton and the SM particles.



Introduction

Axion(-Like Particle) as Inflaton

$$\mathcal{L} = \frac{1}{2}(\partial\phi)^2 - V(\phi) - \frac{1}{4}F_{\mu\nu}F^{\mu\nu} + \frac{\phi}{4\Lambda}F_{\mu\nu}\tilde{F}^{\mu\nu}$$

Inflaton

U(1)

CS
coupling
 $\propto \phi \partial \cdot h$

- **Flat** potential protected by shift sym: $\phi \mapsto \phi + c$

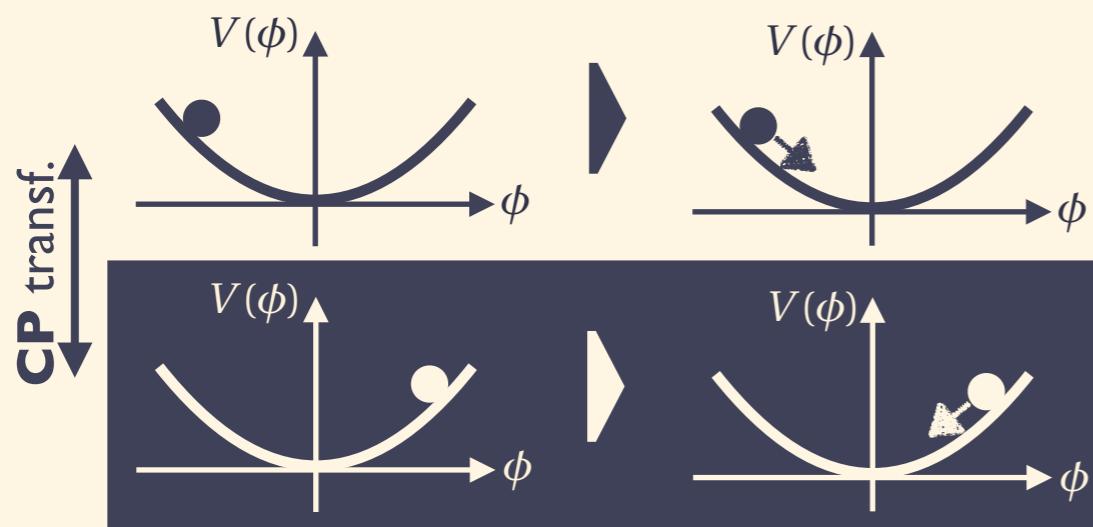
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Inflaton $U(1)$ CS coupling
 $\propto \phi \partial \cdot h$

- ▶ **Flat** potential protected by shift sym: $\phi \mapsto \phi + c$
- ▶ CP-violation from its **coherent motion** (cf. Spontaneous BG, Affleck-Dine BG)



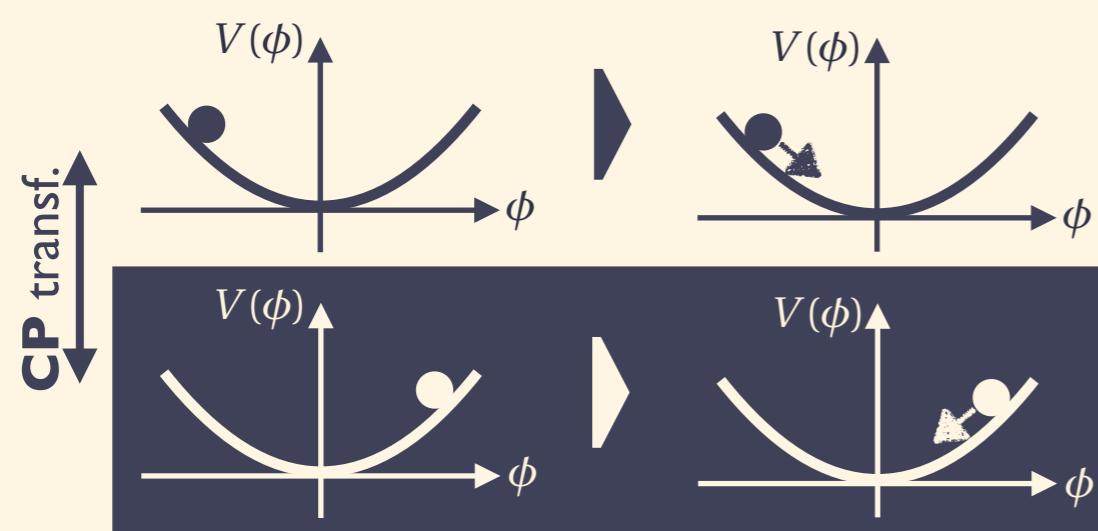
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- Tachyonic growth in **one polarization**

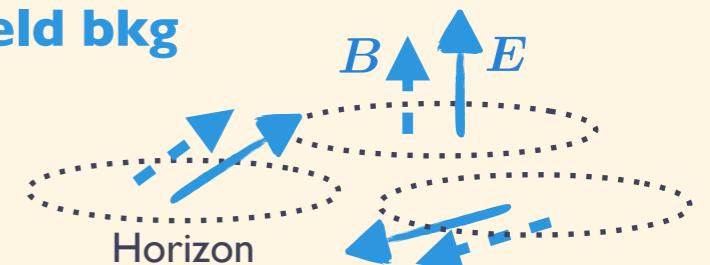
$$0 = \left[\partial_\eta^2 + k(k \pm 2\xi aH) \right] A_\pm(\eta, k) \quad \text{where} \quad \xi \equiv \frac{\dot{\phi}}{2\Lambda H}$$

- **CP-violating gauge field bkg**

$$-\langle F_{\mu\nu}\tilde{F}^{\mu\nu} \rangle = 4\langle \mathbf{E} \cdot \mathbf{B} \rangle \gtrless 0$$

CP odd

for $\dot{\phi} \gtrless 0$



Introduction

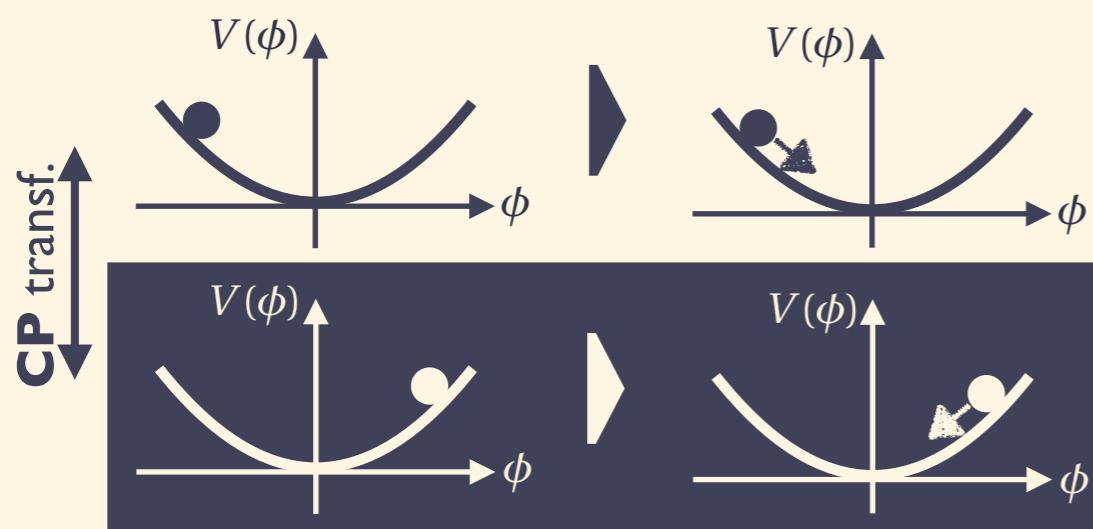
Axion(-Like Particle) as Inflaton

$$\mathcal{L} = \frac{1}{2}(\partial\phi)^2 - V(\phi) - \frac{1}{4}Y_{\mu\nu}Y^{\mu\nu} + \frac{\phi}{4\Lambda}Y_{\mu\nu}\tilde{Y}^{\mu\nu} + \sum_{\alpha}\psi_{\alpha}^{\dagger}iD\cdot\sigma\psi_{\alpha} + \dots$$

Inflaton $U(1)_Y$ CS coupling Charged fermions
 $\propto \phi \partial \cdot h_Y$

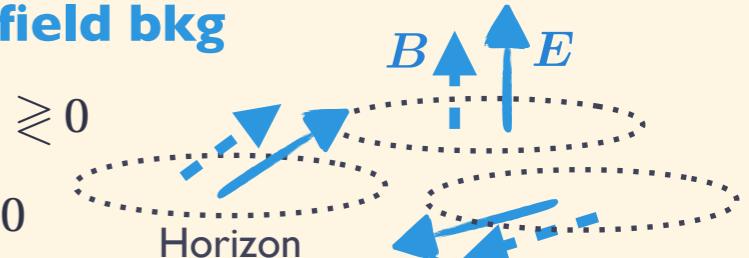
- Chiral anomaly
- Backreaction

- ▶ Flat potential protected by shift sym: $\phi \mapsto \phi + c$
- ▶ CP-violation from its **coherent motion** (cf. Spontaneous BG, Affleck-Dine BG)



- Tachyonic growth in **one polarization**
 $0 = [\partial_{\eta}^2 + k(k \pm 2\xi aH)] A_{\pm}(\eta, k)$ +backreaction
- **CP-violating gauge field bkg**
 $-\langle Y_{\mu\nu}\tilde{Y}^{\mu\nu} \rangle = 4\langle \mathbf{E}_Y \cdot \mathbf{B}_Y \rangle \gtrless 0$
CP odd for $\dot{\phi} \gtrless 0$
- **B+L asym. is generated!**

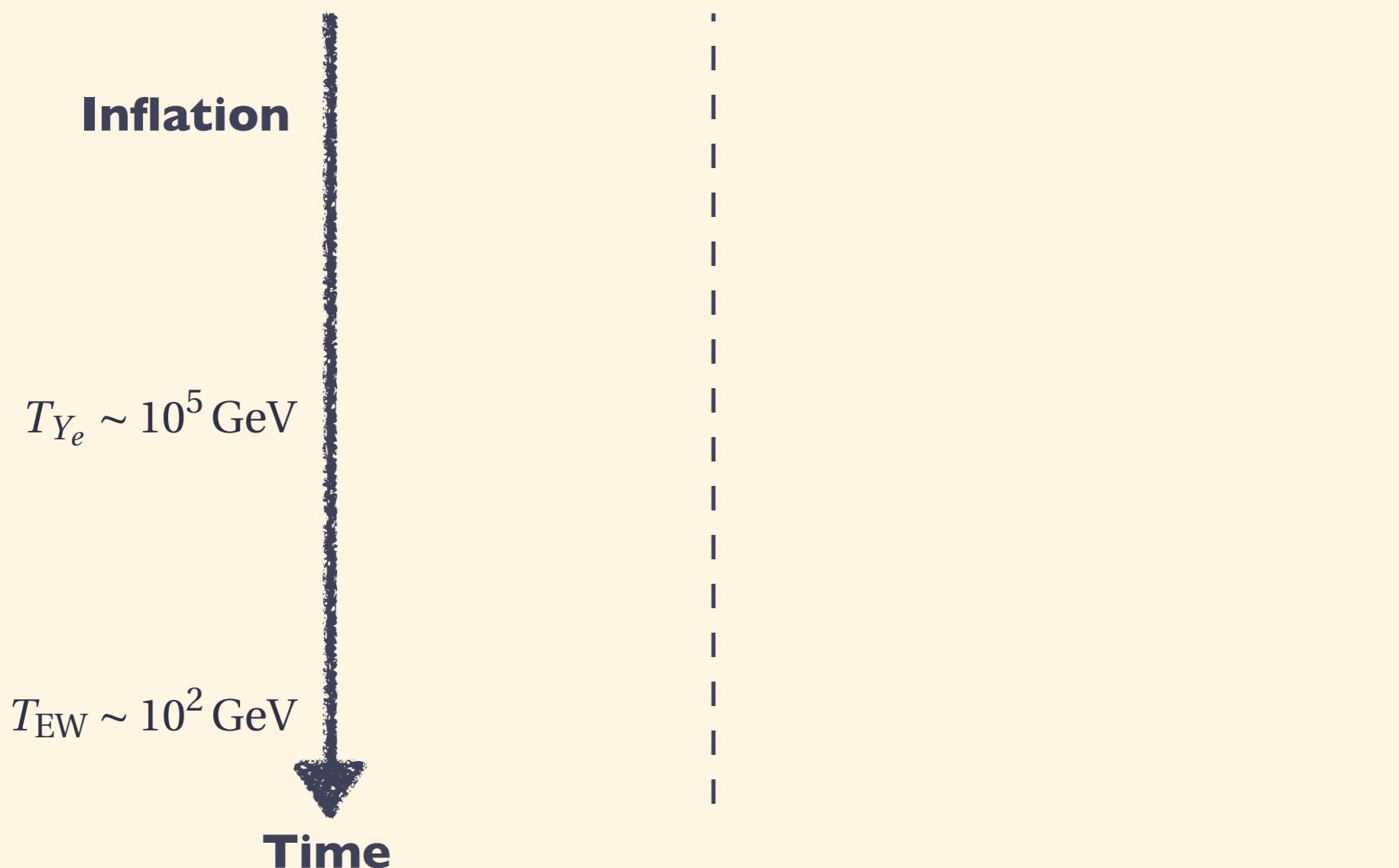
$$\partial_{\mu}J_{B+L}^{\mu} = \frac{3}{16\pi^2} \left(g_2^2 W_{\mu\nu}^a \tilde{W}^{a\mu\nu} - g_Y^2 Y_{\mu\nu} \tilde{Y}^{\mu\nu} \right) \neq 0$$



Outline

Baryo/Leptogenesis from B+L asymmetry?

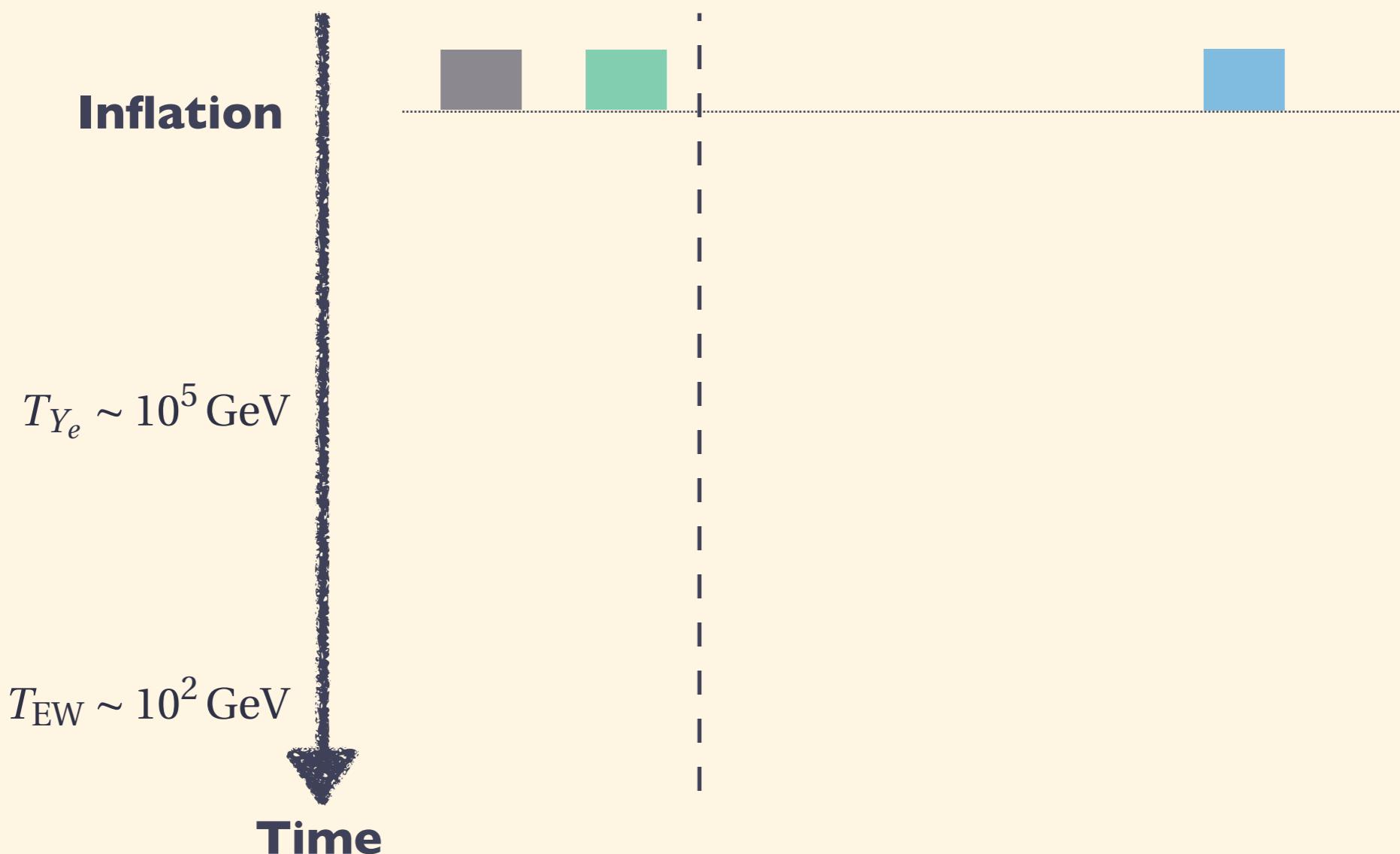
$$\partial_\mu J_B^\mu = \partial_\mu J_L^\mu = \frac{3}{32\pi^2} \left(g_2^2 W_{\mu\nu}^a \tilde{W}^{a\mu\nu} - g_Y^2 Y_{\mu\nu} \tilde{Y}^{\mu\nu} \right)$$



Outline

Baryo/Leptogenesis from B+L asymmetry?

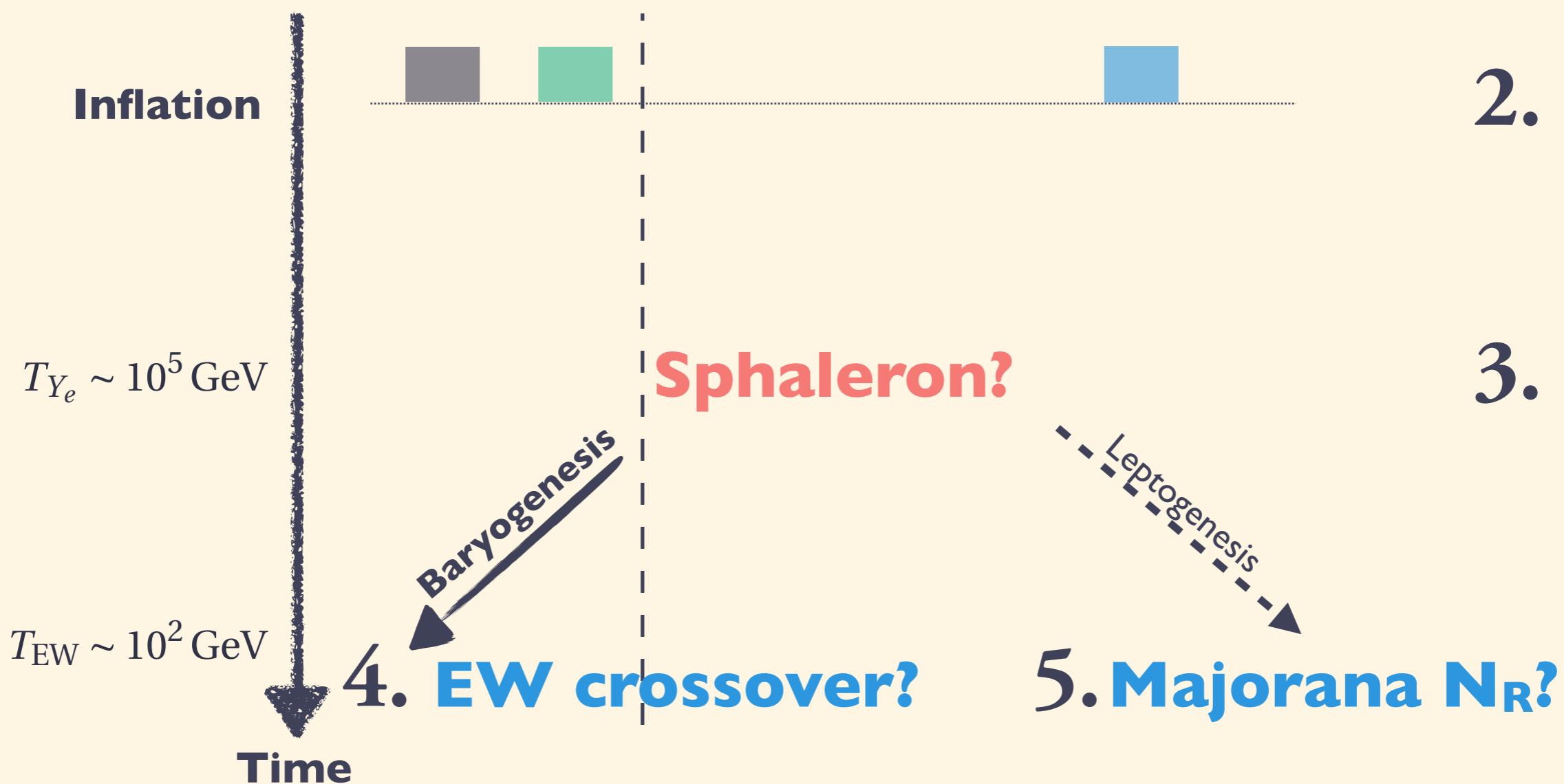
$$\partial_\mu J_B^\mu = \partial_\mu J_L^\mu = 3\partial_\mu K_{\text{CS}}^\mu - \frac{3\alpha_Y}{4\pi} \partial_\mu h_Y^\mu$$



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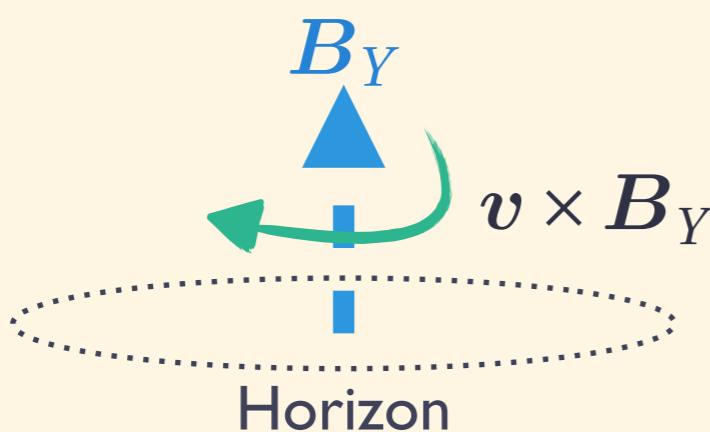
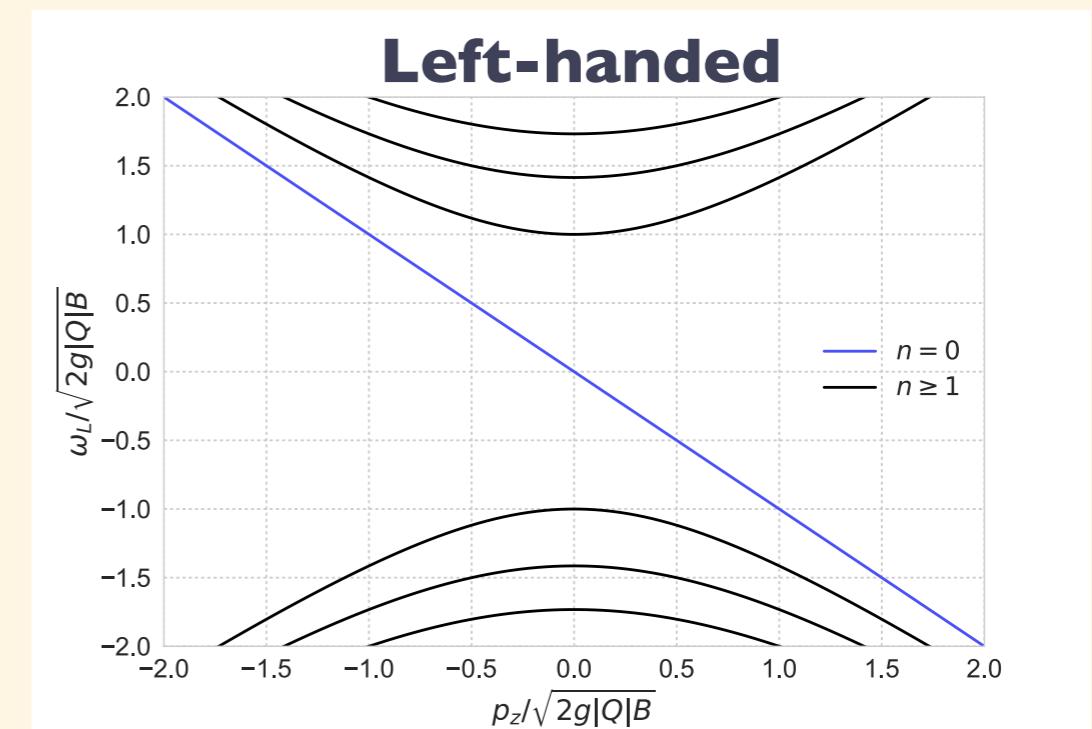
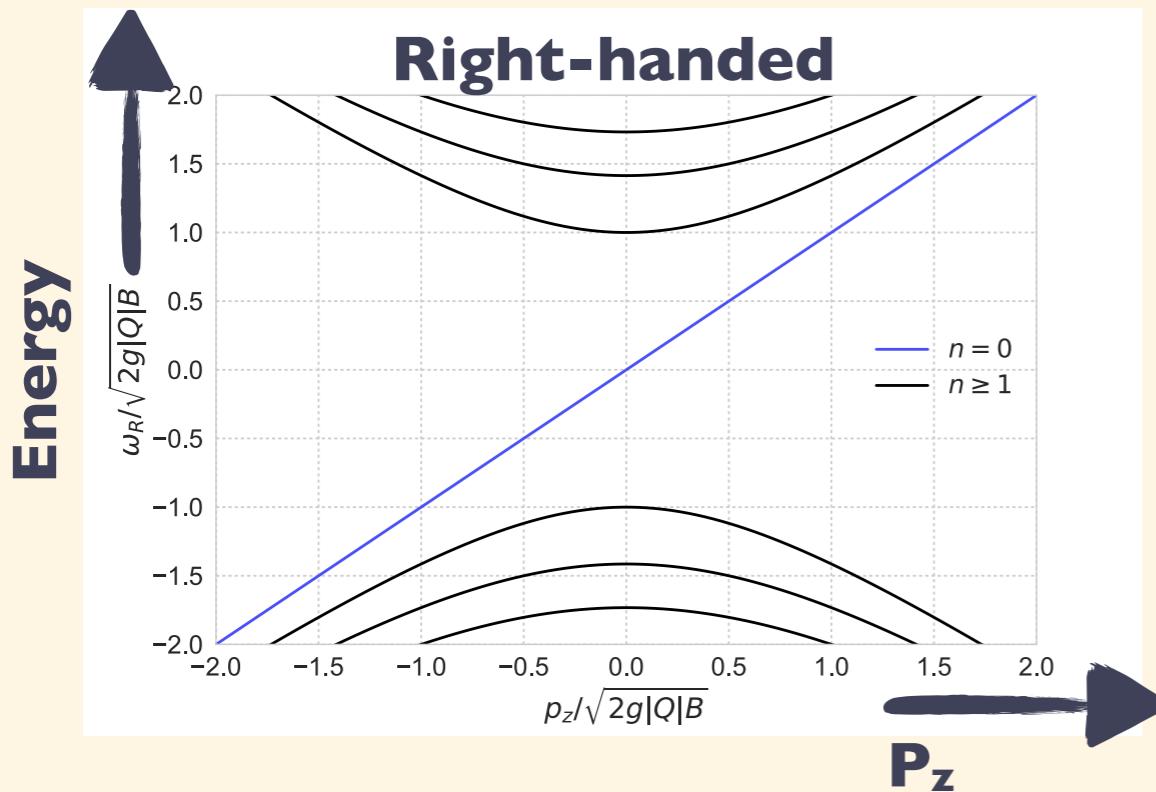
2.

Production of Helical gauge & Chiral fermion

Fermion Production

Landau Levels

- Turn off E_Y ; B_Y field modifies the **dispersion relation**.



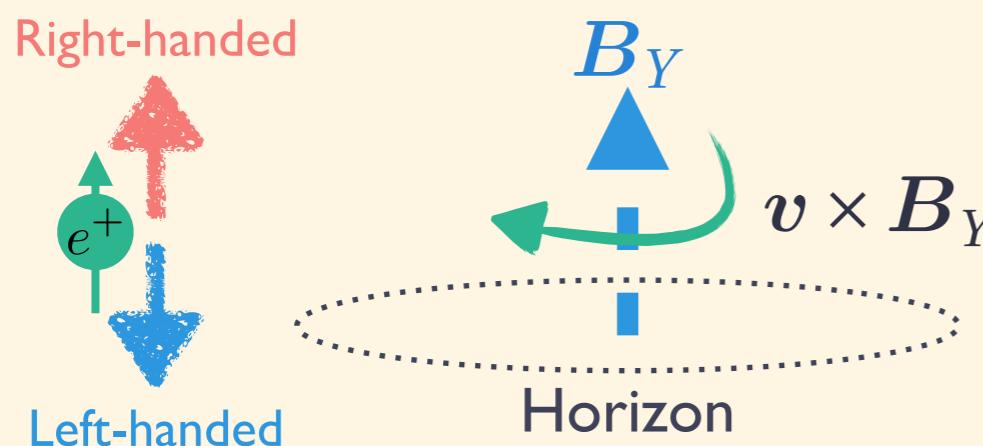
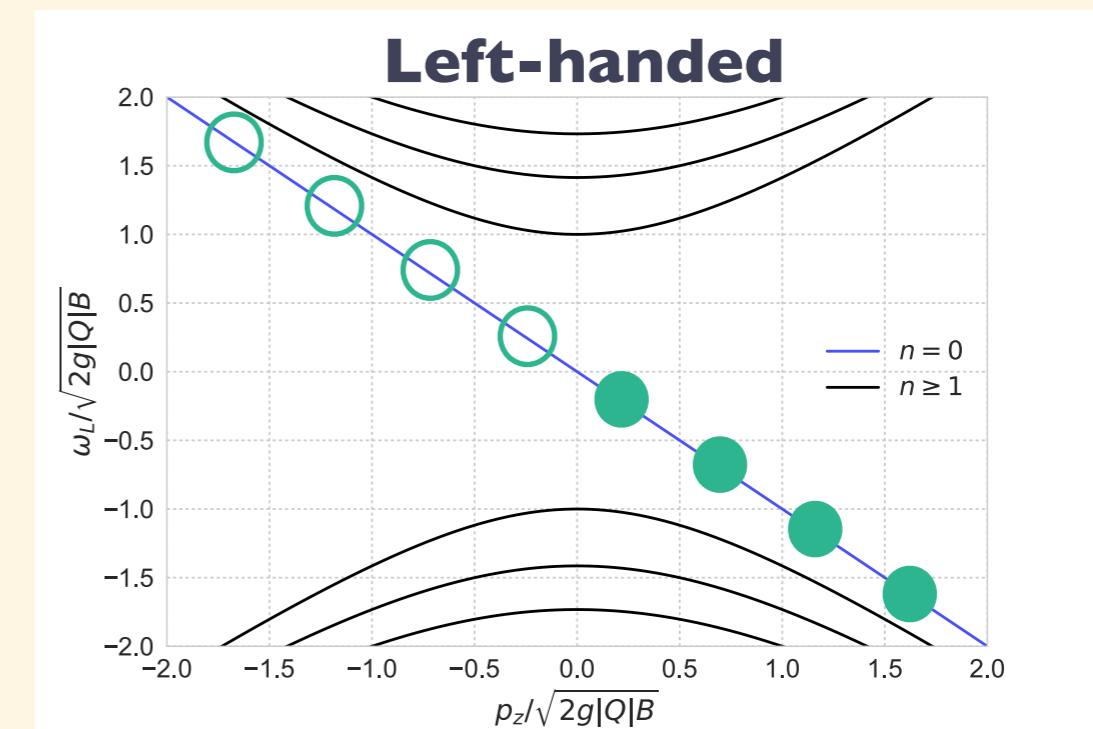
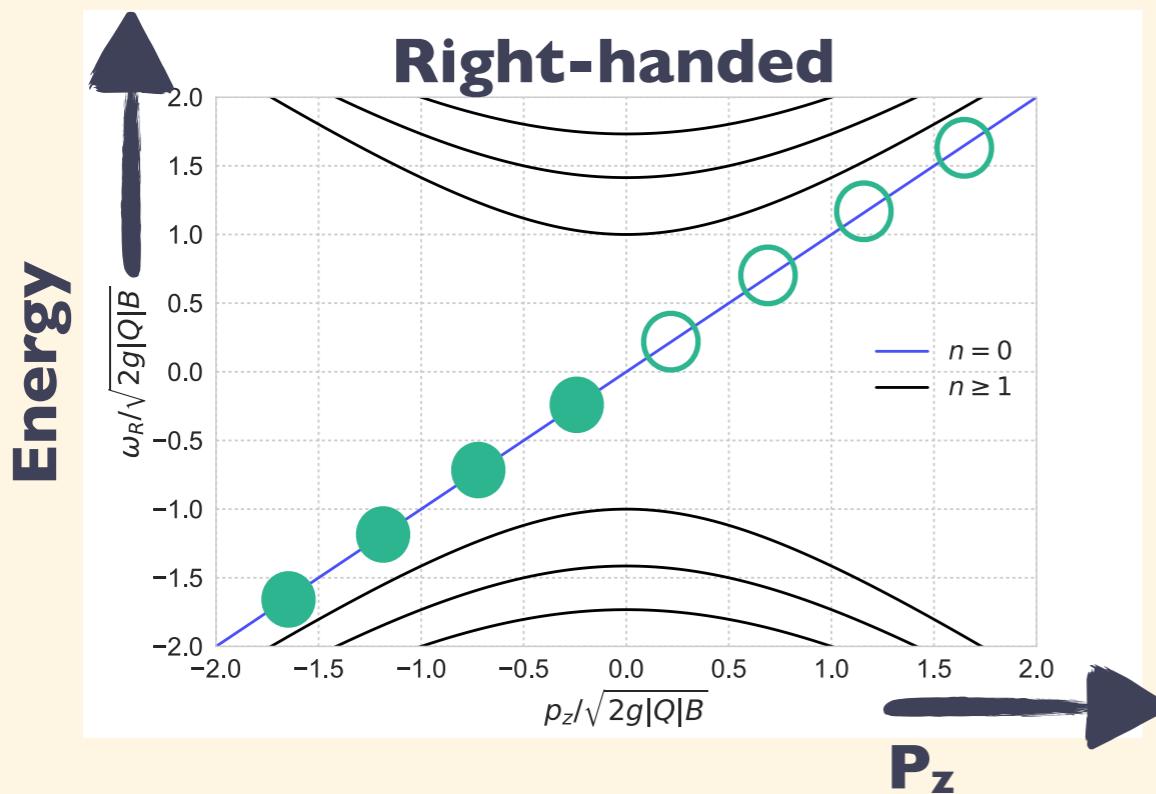
- **Landau level n** : transverse motion
- **\mathbf{P}_z** : parallel motion

Fermion Production

Lowest Landau Level ($n=0$) & Chiral Anomaly

► Turn on E_Y and see what happens.

Nielsen, Ninomiya, Phys.Lett. **I 30B** (1983)



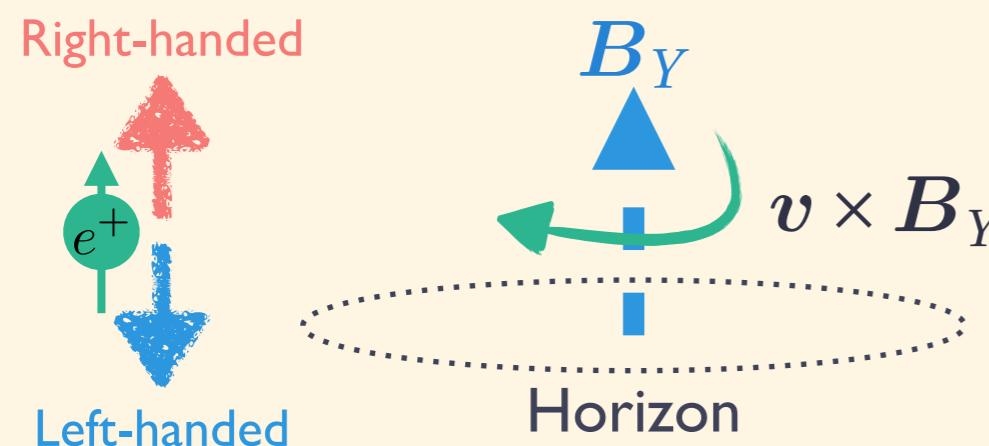
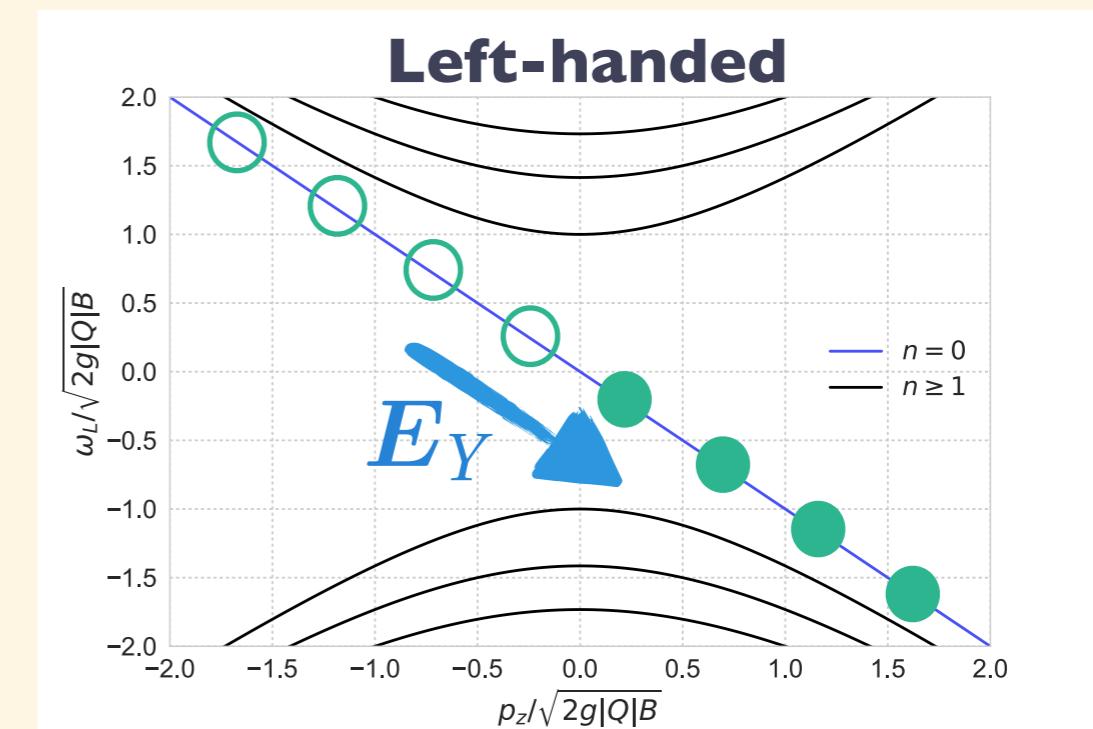
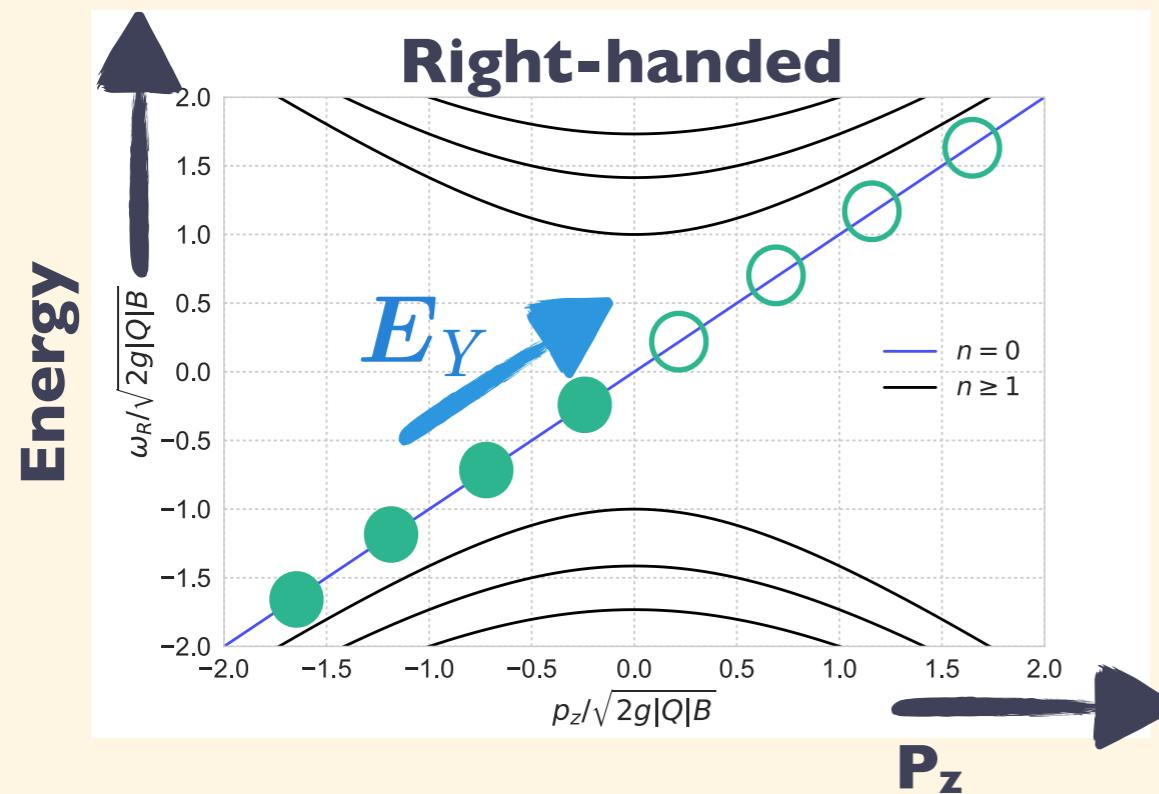
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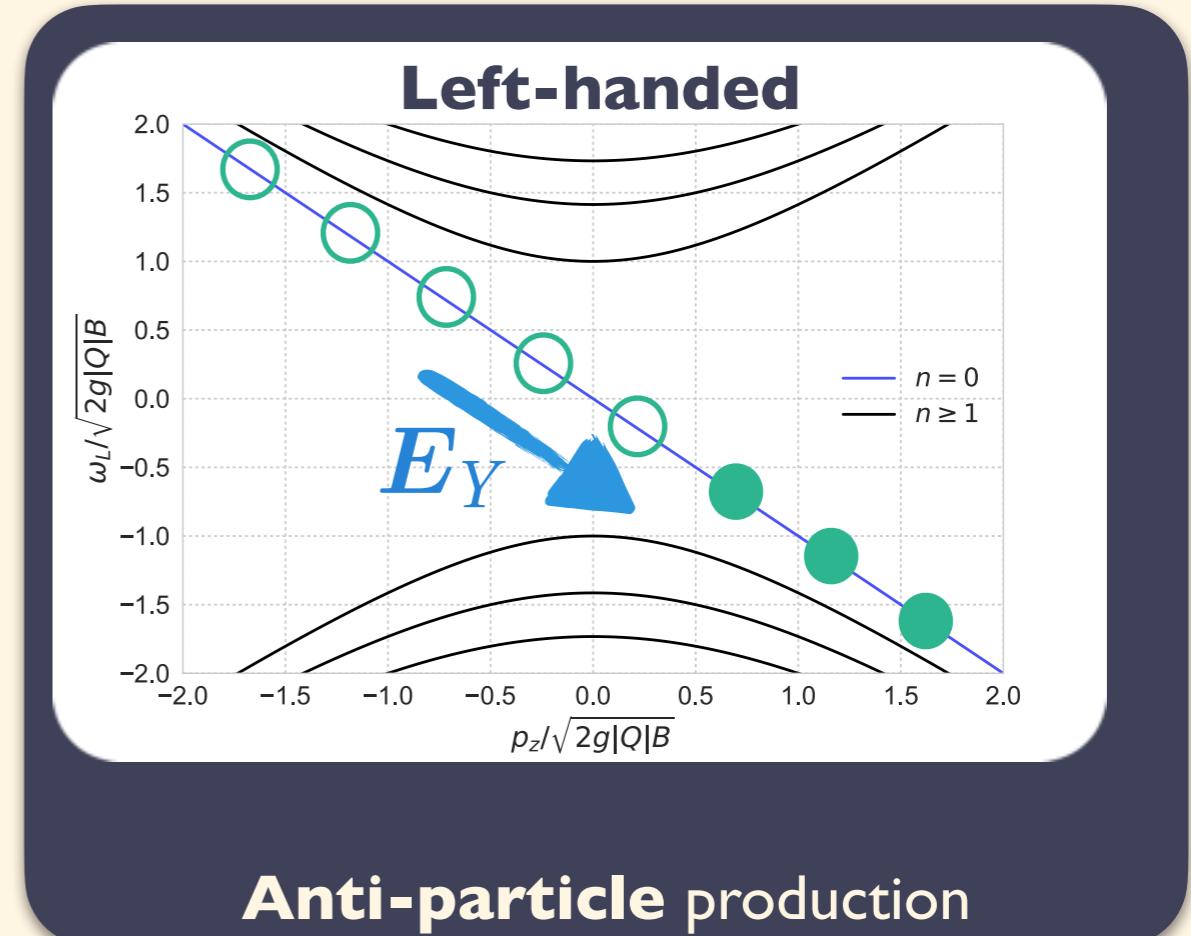
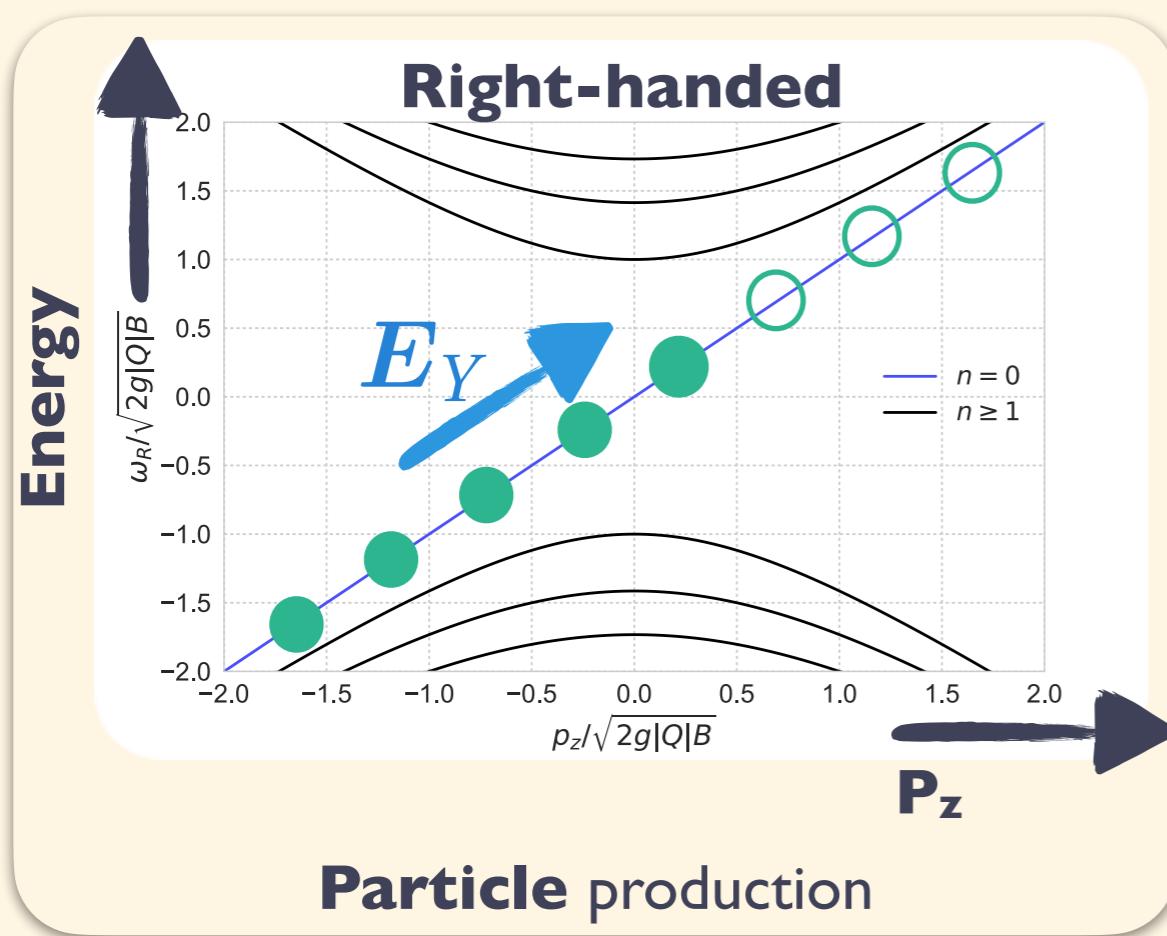
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Fermion Production

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- Reproduce chiral anomaly!

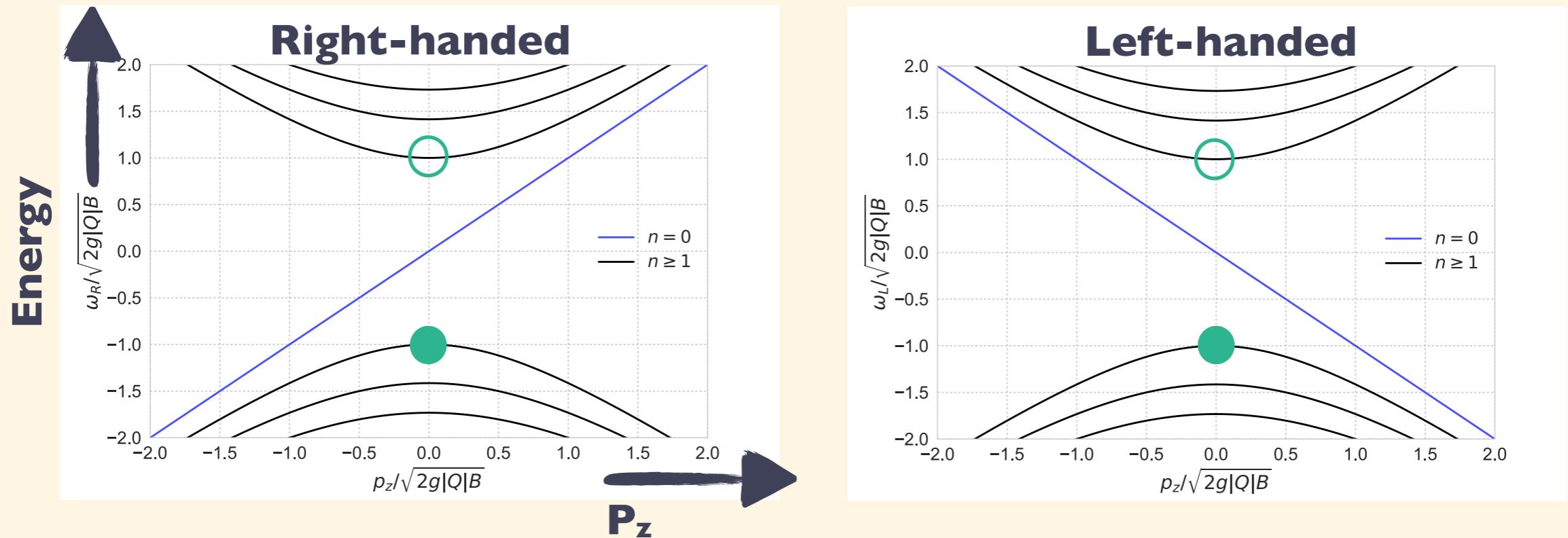
$$\dot{q}_{R/L} = \dot{n}_{R/L} - \dot{\bar{n}}_{R/L} = \pm \frac{g_Y^2 Q_Y^2}{4\pi^2} E_Y B_Y = \mp \frac{g_Y^2 Q_Y^2}{16\pi^2} Y^{\mu\nu} \tilde{Y}_{\mu\nu}$$

Fermion Production

Higher Landau Levels ($n \geq 1$) & Pair Production

- ▶ Turn on E_Y and see what happens.

e.g., V.Domcke and KM 1806.08769

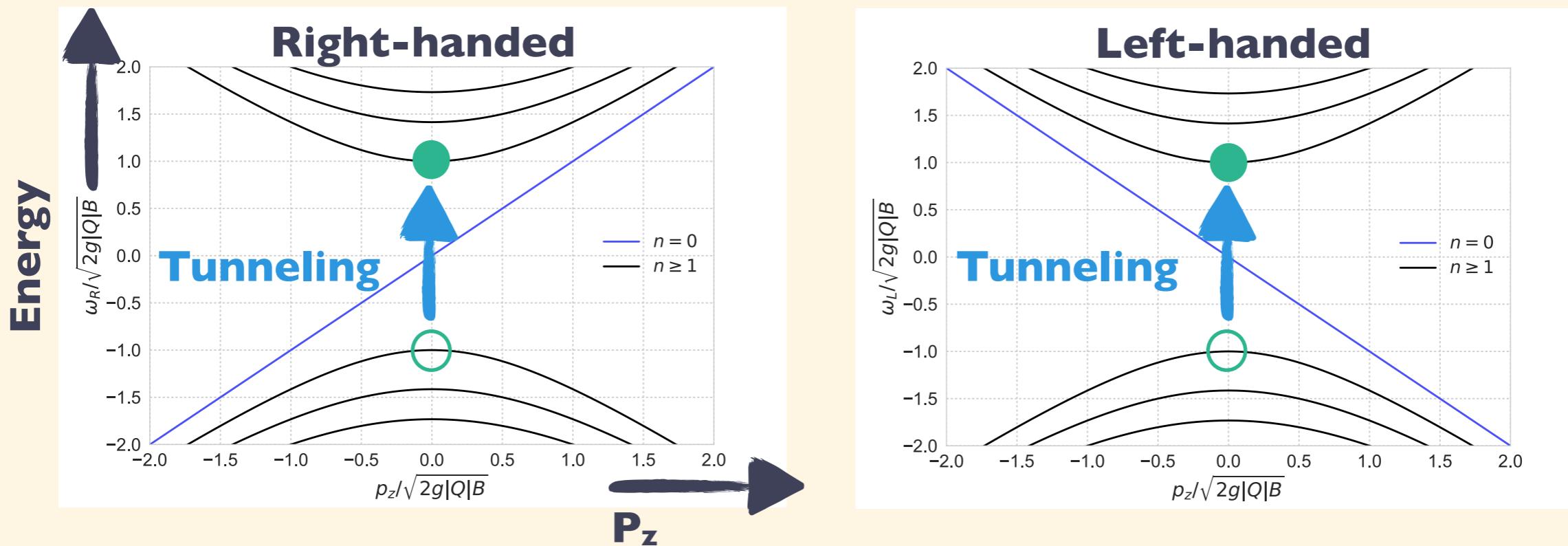


Fermion Production

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e.g., V.Domcke and KM 1806.08769



- Pair-production via Schwinger effect

$$\dot{n}_{R/L}^{(n)} = \dot{\bar{n}}_{R/L}^{(n)} = \frac{g_Y^2 Q_Y^2}{4\pi^2} E_Y B_Y e^{-\frac{2\pi n B_Y}{E_Y}}$$

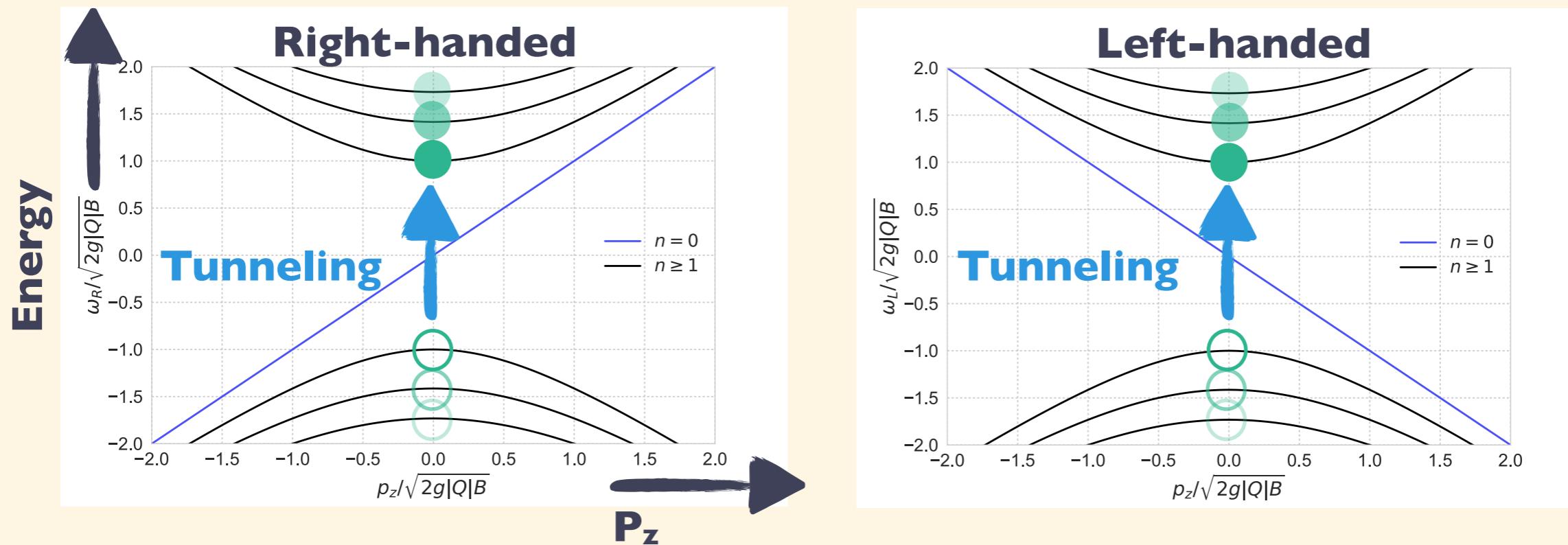
- Never contribute to asymmetries!

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Higher Landau Levels ($n \geq 1$) & Pair Production

- ▶ Turn on E_Y and see what happens.

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- Pair-production via Schwinger effect

See e.g., Cohen+ 0807.1117

$$\dot{n}_{R/L}^{(n)} = \dot{\bar{n}}_{R/L}^{(n)} = \frac{g_Y^2 Q_Y^2}{4\pi^2} E_Y B_Y e^{-\frac{2\pi n B_Y}{E_Y}} \quad \Rightarrow \quad \sum_{n=1} \dot{n}_{R/L}^{(n)} = \frac{g_Y^2 Q_Y^2}{4\pi^2} E_Y B_Y \frac{1}{e^{\frac{2\pi B_Y}{E_Y}} - 1} \quad \xrightarrow{B_Y \rightarrow 0} \frac{g_Y^2 Q_Y^2}{8\pi^3} E_Y^2$$

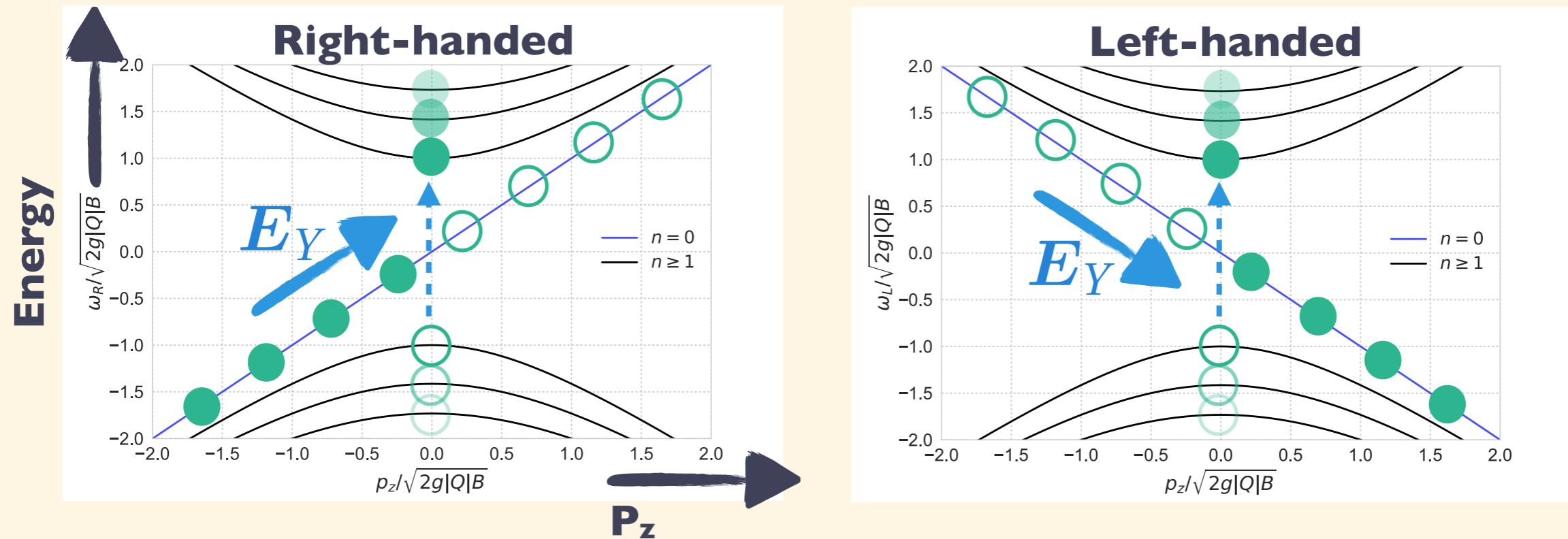
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Fermion Production

Fermion Production in $B_Y \parallel E_Y$

- Turn on E_Y and see what happens.

e.g., V.Domcke and KM 1806.08769



- **Chiral anomaly** from the lowest Landau level ($n=0$).
- **Pair production** from higher Landau levels ($n=1, 2, \dots$).

Helical gauge & Chiral fermion

Implications on Axion Inflation

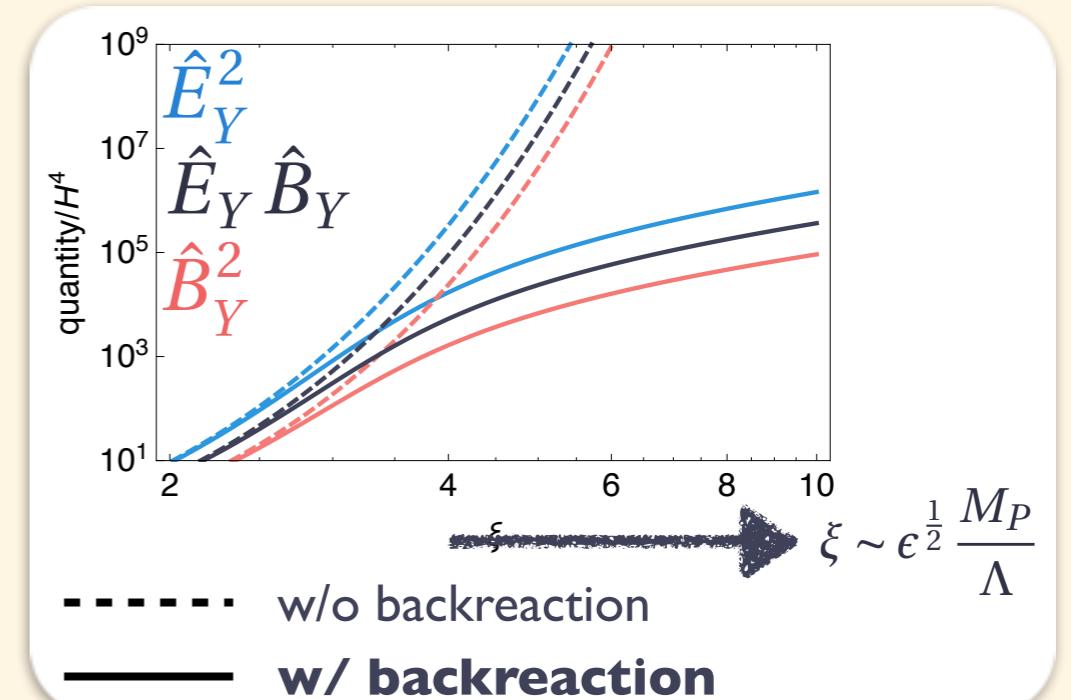
V.Domcke and KM 1806.08769

- Backreaction suppresses gauge field

$$0 = -\partial_t E_Y + \nabla \times B_Y + a g_Y^2 \frac{\dot{\phi}}{\Lambda} B_Y - g_Y J_Y$$

$$g_Y J_Y \sim a \left[\sum_a N_a \frac{g_Y^3 |Q_a|^3}{12\pi^2} \coth\left(\frac{\pi \hat{B}_Y}{\hat{E}_Y}\right) \frac{\hat{B}_Y}{H} \right] E_Y$$

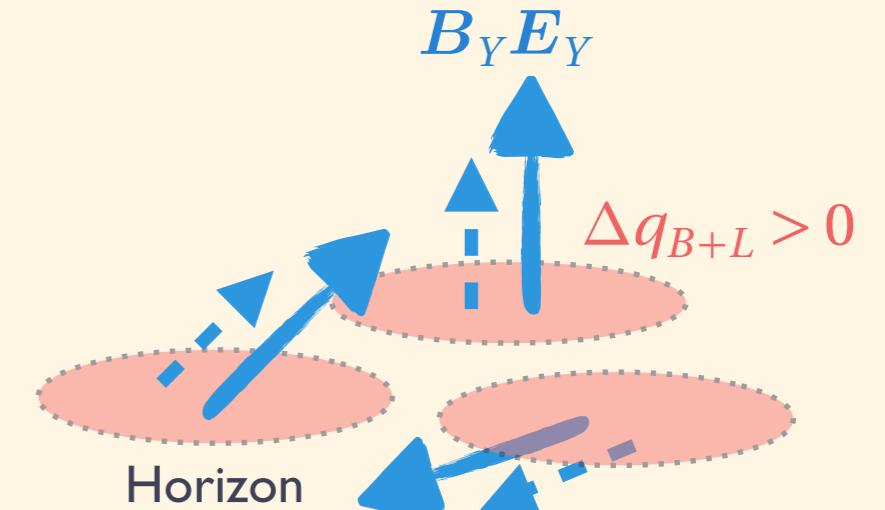
See e.g., Dunne 0406216, Warringa 1205.5679



- Primordial B+L asymmetry

$$\Delta q_{B+L}^{\text{rh}} = -\frac{3}{2} \frac{\alpha_Y}{\pi} \Delta h_Y^{\text{rh}} \quad \text{where} \quad \Delta h_Y^{\text{rh}} = -\frac{2}{3H_{\text{rh}}} \langle \hat{E}_Y \cdot \hat{B}_Y \rangle_{\text{rh}}$$

$$\left. \frac{\Delta q_{B+L}}{s} \right|_{\text{rh}} \sim 10^{-9} \left(\frac{H_{\text{rh}}}{10^{12} \text{GeV}} \right)^{3/2} \left(\frac{\langle \hat{E}_Y \cdot \hat{B}_Y \rangle_{\text{rh}} / H_{\text{rh}}^4}{10^4} \right)$$



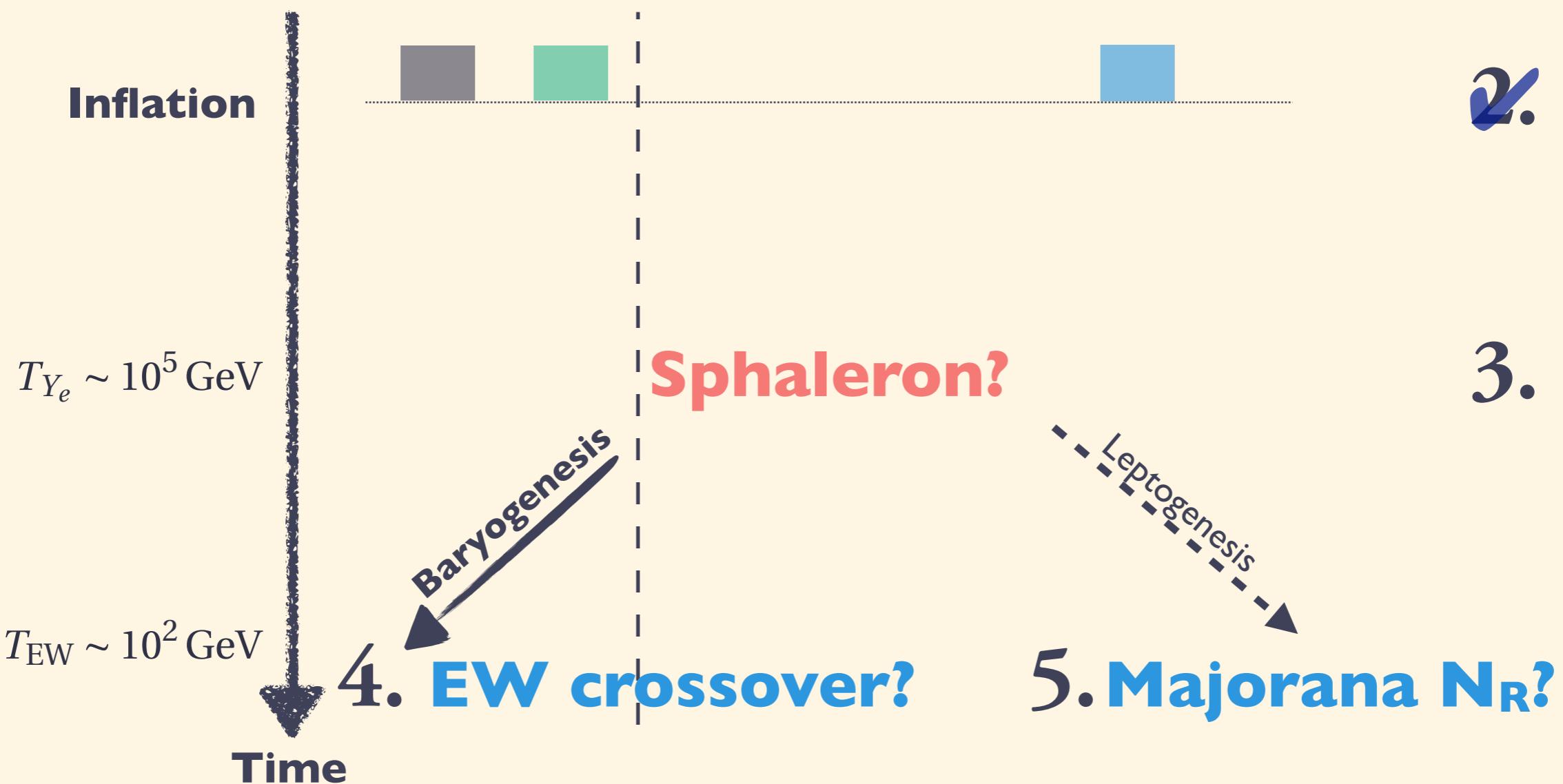
3.

Survival of Helical Gauge Field

Outline

Baryo/Leptogenesis from B+L asymmetry?

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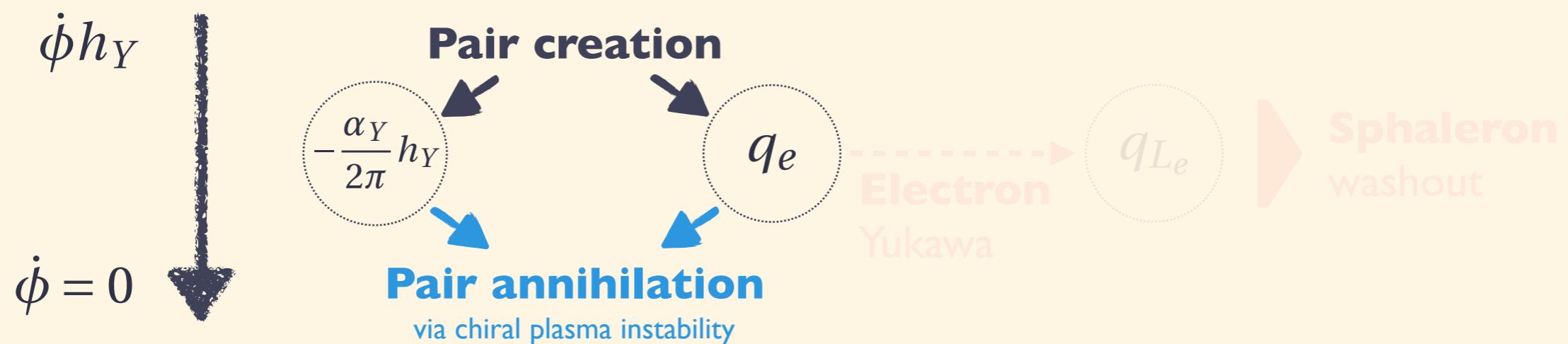


Survival of Helical Gauge Field

Avoid complete annihilation

V.Domcke, B.Harling, E.Morgante, **KM**
1905.13318

► Annihilation v.s. Sphaleron + Yukawa



- Chiral plasma instability occurs @

$$T_{\text{CPI}} \sim 10^5 \text{ GeV} \left(\frac{H_{\text{rh}}}{10^{14} \text{ GeV}} \right)^3 \left(\frac{\langle \hat{E}_Y \cdot \hat{B}_Y \rangle_{\text{rh}} / H_{\text{rh}}^4}{10^5} \right)^2 <$$

Joyce, Shaposhnikov 9703005, Akamatsu, Yamamoto 1302.2125,...

- Electron Yukawa is equilibrated @

$$T_{ye} \sim 10^5 \text{ GeV}$$

Campbell, Davidson, Ellis, Olive 9302221

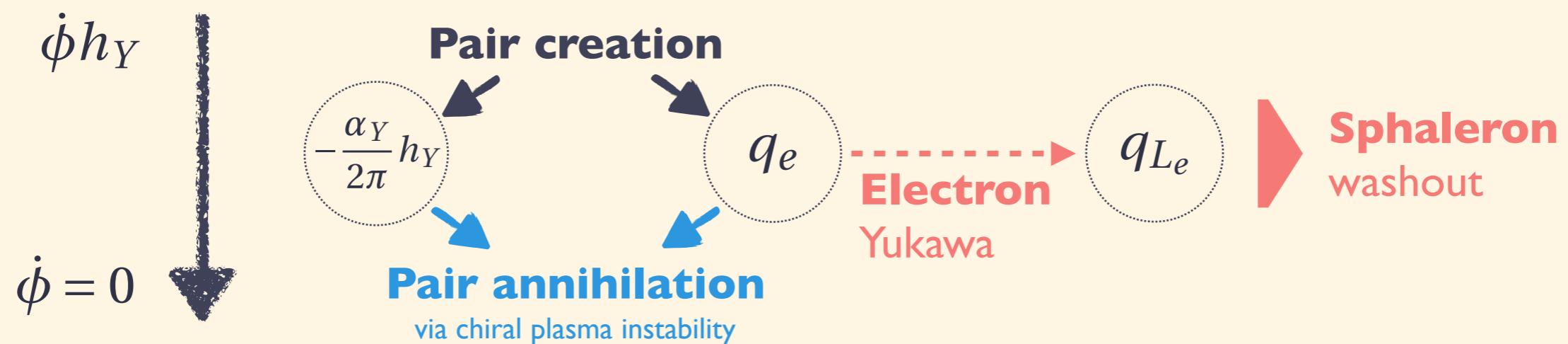
→ Helical gauge field survives if $\left(\frac{H_{\text{rh}}}{10^{14} \text{ GeV}} \right)^3 \left(\frac{\langle \hat{E}_Y \cdot \hat{B}_Y \rangle_{\text{rh}} / H_{\text{rh}}^4}{10^5} \right)^2 < 1$.

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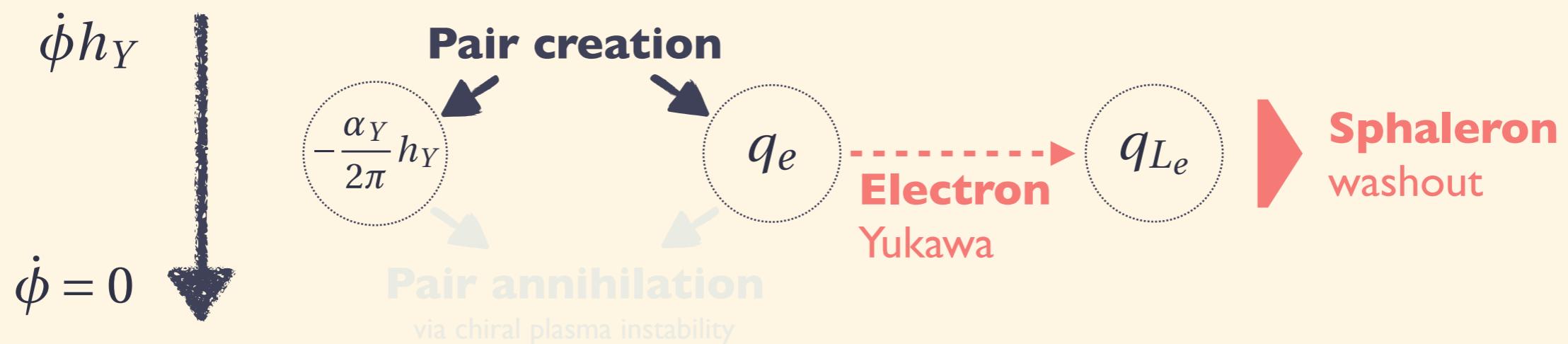
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Survival of Helical Gauge Field

Avoid Magnetic Diffusion

V.Domcke, B.Harling, E.Morgante, **KM**
1905.13318

► Chiral Magneto Hydro Dynamics (ChMHD)

$$\frac{\partial}{\partial \eta} \mathbf{v} + \mathbf{v} \cdot \nabla \mathbf{v} = \nu \nabla^2 \mathbf{v} + \frac{1}{\rho + P} \left(-\frac{1}{2} \nabla B_Y^2 + (\mathbf{B}_Y \cdot \nabla) \mathbf{B}_Y \right)$$

$$\frac{\partial \mathbf{B}_Y}{\partial \eta} = \frac{\nabla^2}{\sigma_Y} \mathbf{B}_Y + \nabla \times (\mathbf{v} \times \mathbf{B}_Y) + \frac{2\alpha_Y}{\pi} \frac{\mu_{Y,5}}{\sigma_Y} \nabla \times \mathbf{B}_Y \quad \text{w/ } \mu_{Y,5} = \sum_{\alpha} \epsilon_{\alpha} N_{\alpha} Q_{Y,\alpha}^2 \mu_{\alpha}$$

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w/ $\mu_{Y,5} = \sum_{\alpha} \epsilon_{\alpha} N_{\alpha} Q_{Y,\alpha}^2 \mu_{\alpha}$

Magnetic Diffusion $T_{\text{diff}} \sim \frac{\alpha_Y \ln \alpha_Y^{-1}}{5} H_{\text{rh}}$ < **Inverse cascade** $T_{\text{ic}} \sim \nu_{\text{rh}} T_{\text{rh}}$

- Drive h_Y to be zero.

- Approximate conservation of h_Y .

See e.g., Durrer and Neronov 1303.7121, Brandenburg+ 1212.0596

⇒ Helical gauge field survives if $T_{\text{ic}} > T_{\text{diff}} \leftrightarrow R_m \equiv \sigma_Y L_{\text{rh}} \nu_{\text{rh}} > 1$

$$1 < R_m \lesssim 6 \times \left(\frac{\alpha_Y}{0.01} \right)^{-1} \left(\frac{H_{\text{rh}}}{10^{12} \text{GeV}} \right)^{1/2} \left(\frac{\langle \hat{B}_Y^2 \rangle_{\text{rh}} / H_{\text{rh}}^4}{10^5} \right)^{1/2}$$

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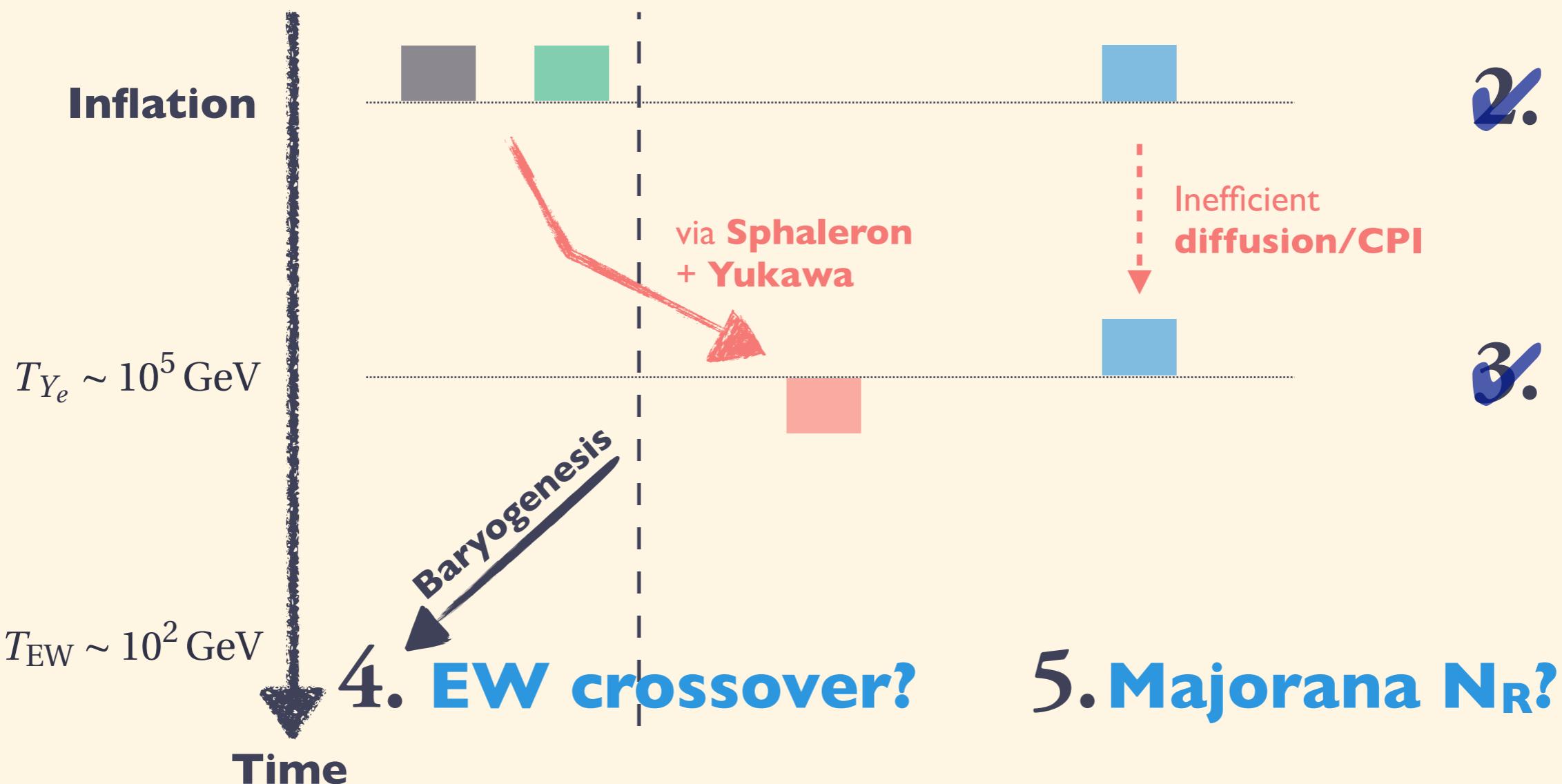
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4. t.

Regeneration of Baryon Asymmetry

Regeneration of Baryon Asym.

Baryogenesis from Decaying Helicity

► Transport equation @ EW Crossover

- Slowest processes: EW sphaleron & Decaying helicity

Fujita, Kamada 1602.02109
Kamada, Long 1610.03074

$$\partial_\eta q_B = -\frac{111}{34} \Gamma_{W,\text{sph}} q_B + \frac{3}{2} (g_2^2 + g_Y^2) \sin(2\theta) (\partial_\eta \theta) \frac{\Delta h_Y^{\text{rh}}}{8\pi^2}$$

$$\left\{ \begin{array}{l} \Gamma_{W,\text{sph}} \propto e^{-\frac{M_{\text{sph}}(T)}{T}} \\ M_{\text{sph}}(T) \propto v(T) \end{array} \right.$$

Regeneration of Baryon Asym.

Baryogenesis from Decaying Helicity

► Transport equation @ EW Crossover

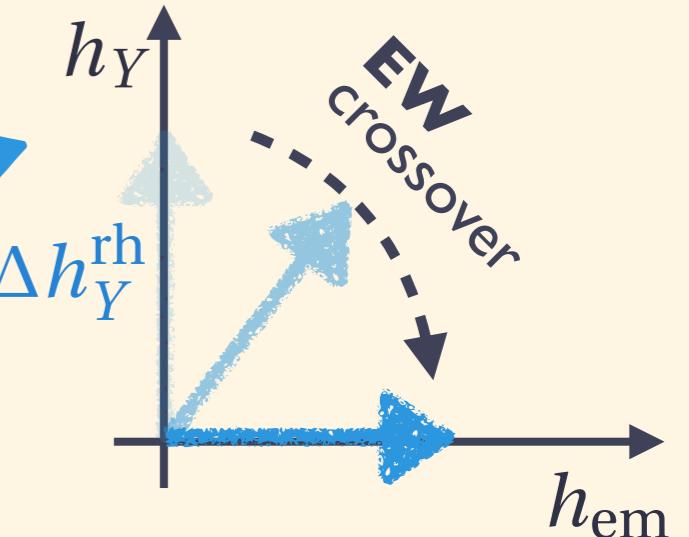
- Slowest processes: EW sphaleron & Decaying helicity

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$\propto \partial_\eta h_Y$

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Fujita, Kamada 1602.02109
Kamada, Long 1610.03074



- EW sphaleron washout v.s. Decaying helicity

$$\eta_B = \frac{q_B}{s} \approx \epsilon \times \left[\frac{3\alpha_Y}{4\pi} \frac{\Delta h_Y}{s} \right]_{\text{rh}}$$

$$\Delta h_Y^{\text{rh}} = -\frac{2}{3H_{\text{rh}}} \langle \hat{E}_Y \cdot \hat{B}_Y \rangle_{\text{rh}}$$

Sphaleron washout factor

$$\epsilon \equiv \left[\frac{34}{111} \left(1 + \frac{\alpha_2}{\alpha_Y} \right) \frac{H}{\Gamma_{W,\text{sph}}} f(\theta, T) \right]_{T_{\text{EW}}}$$

✓ Huge uncertainty...

$$\text{w/ } f(\theta, T) = -T \frac{d\theta}{dT} \sin(2\theta)$$

Regeneration of Baryon Asym.

Baryogenesis from Decaying Helicity

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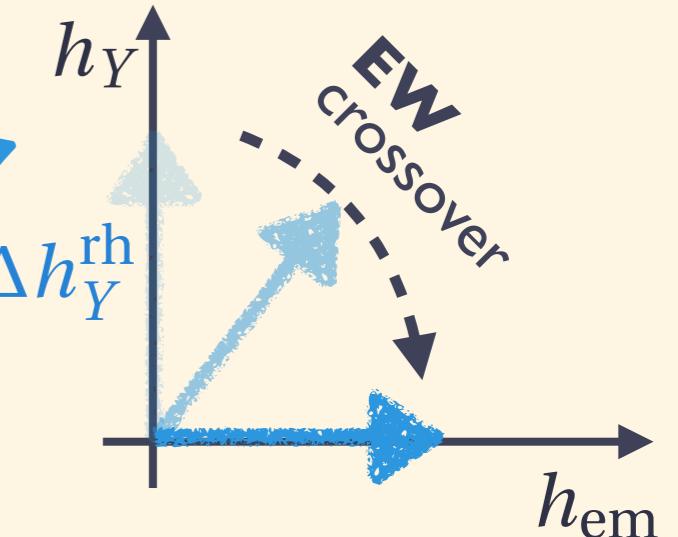
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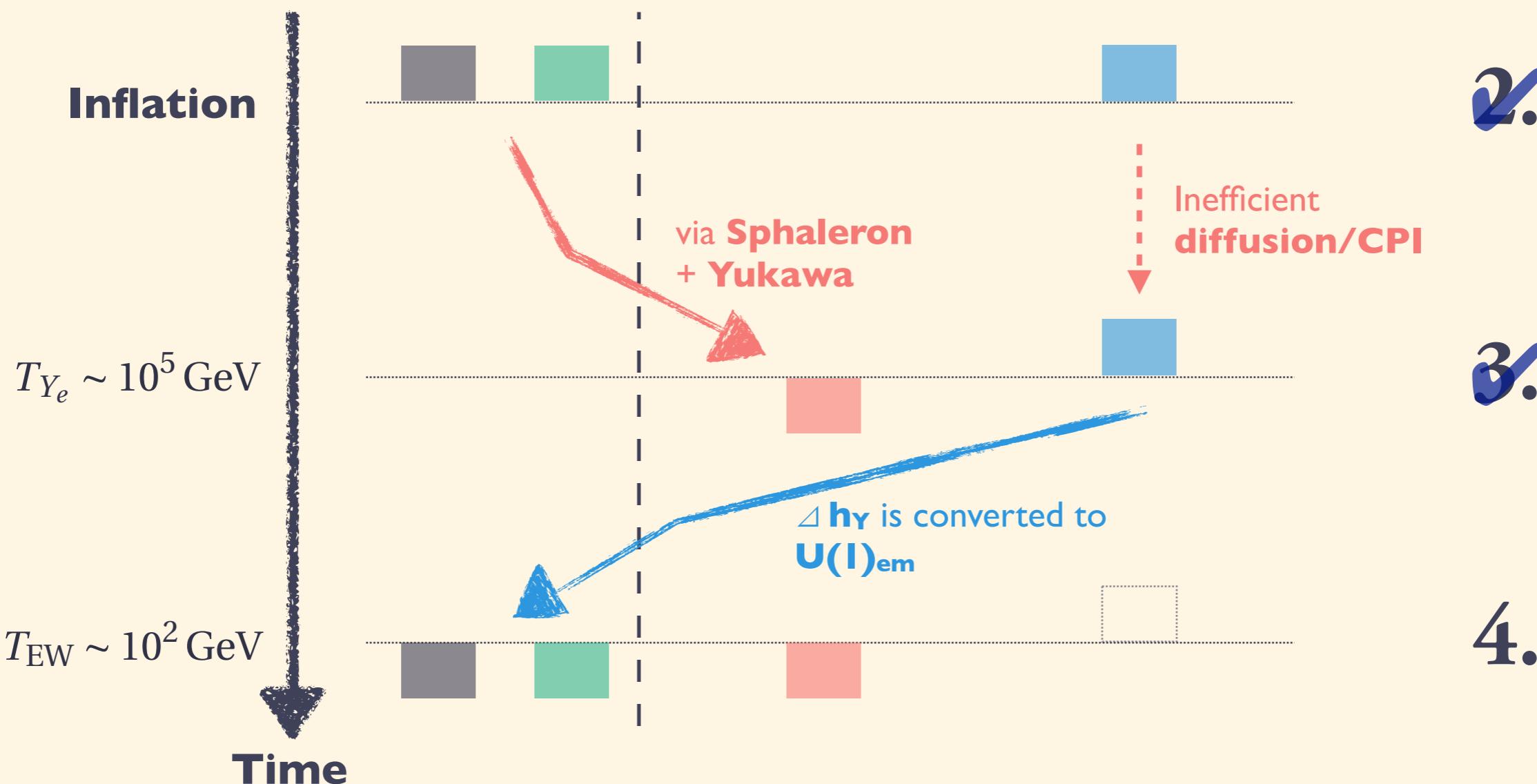
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Outline

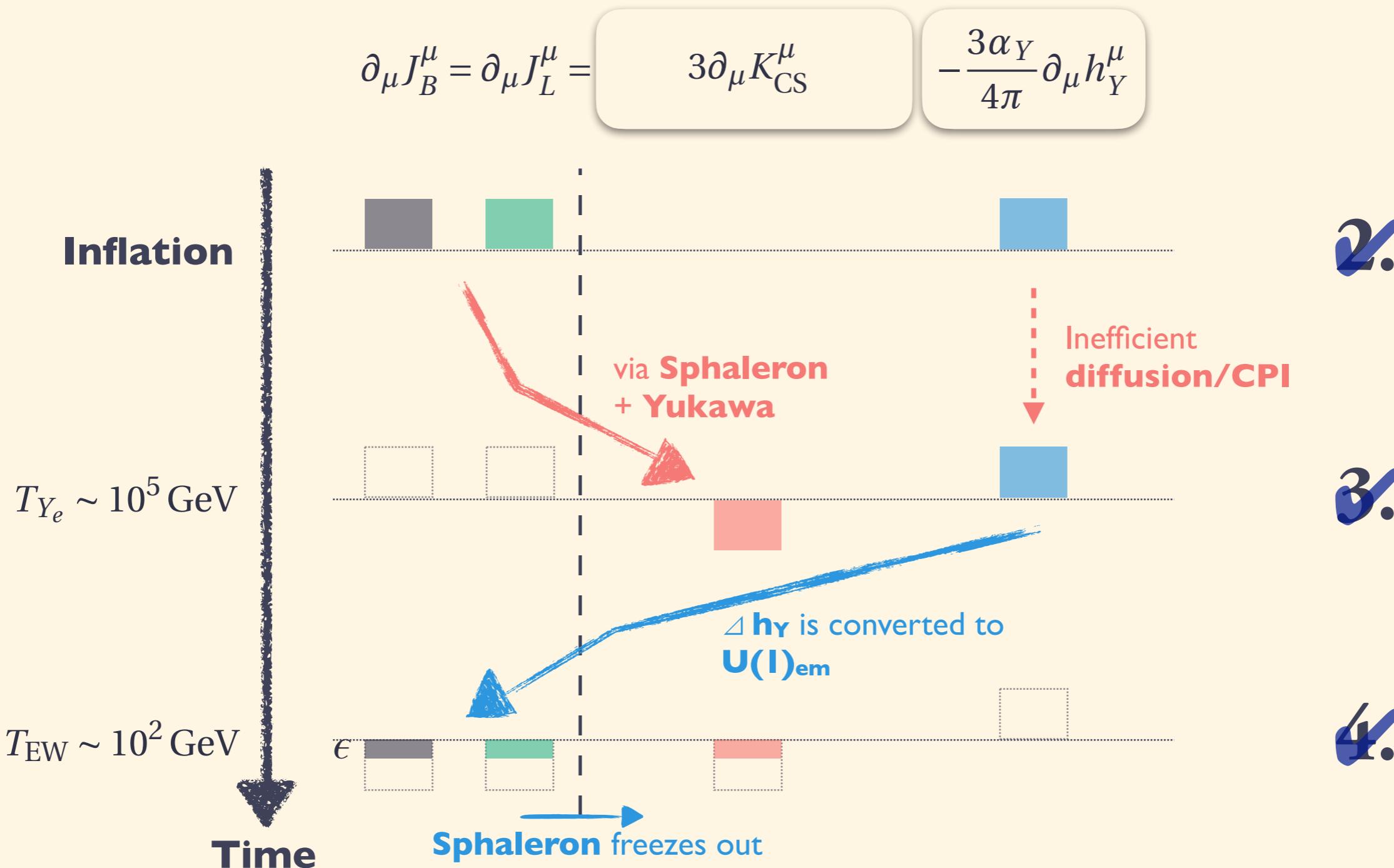
Baryo/Leptogenesis from B+L asymmetry?

$$\partial_\mu J_B^\mu = \partial_\mu J_L^\mu = 3\partial_\mu K_{\text{CS}}^\mu - \frac{3\alpha_Y}{4\pi} \partial_\mu h_Y^\mu$$



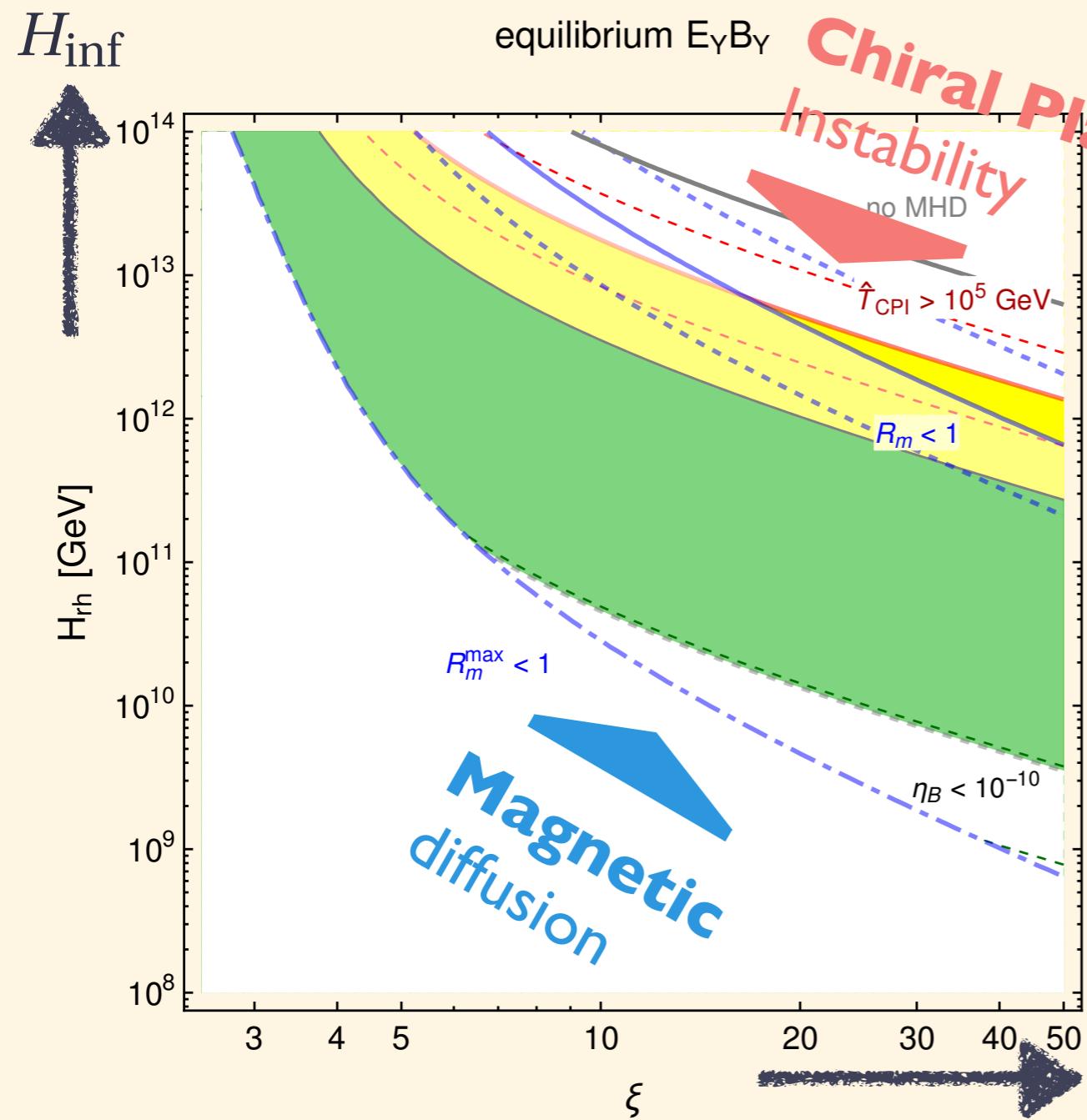
Outline

Baryo/Leptogenesis from B+L asymmetry?



Baryogenesis from axion inflation

Viable parameters for Baryogenesis



- Successful baryogenesis **only with SM + inflaton**
- ChMHD puts **lower/upper** bounds.
- **Mild dependence** on the Chern-Simons coupling

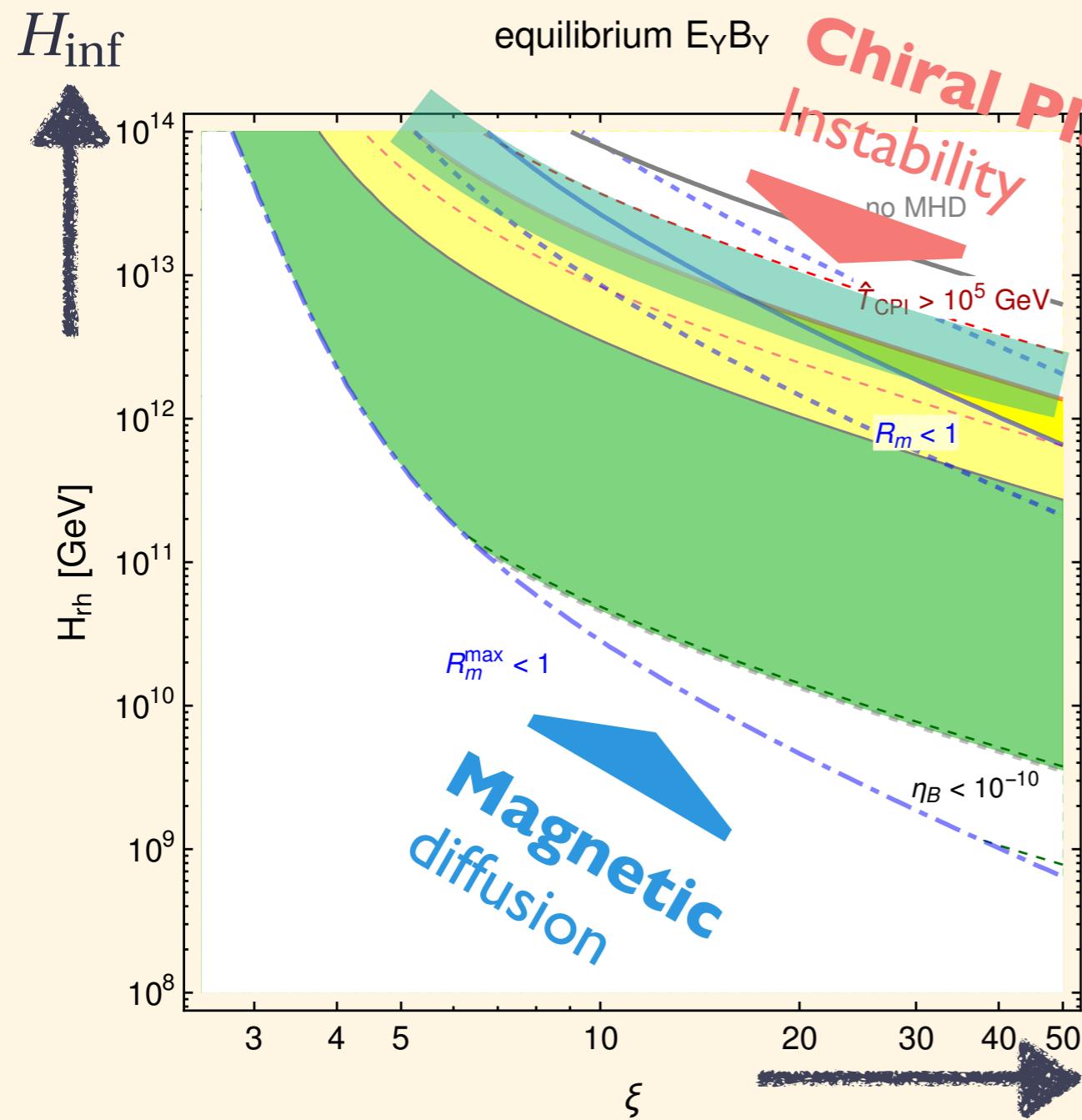
V.Domcke, B.Harling, E.Morgante, **KM**
1905.13318

See also earlier attempts in K.Schmitz+1707.07943

$$\xi \equiv \frac{|\dot{\phi}|}{2\Lambda H} \sim \epsilon^{1/2} \frac{M_P}{\Lambda}$$

Baryogenesis from axion inflation

Viable parameters for Baryogenesis



Viable?

Competition btw
overprod. and CPI.

**Observed
Baryon #**

- Successful baryogenesis
only with SM + inflaton

- ChMHD puts **lower/upper** bounds.

- **Mild dependence** on the Chern-Simons coupling

V.Domcke, B.Harling, E.Morgante, **KM**
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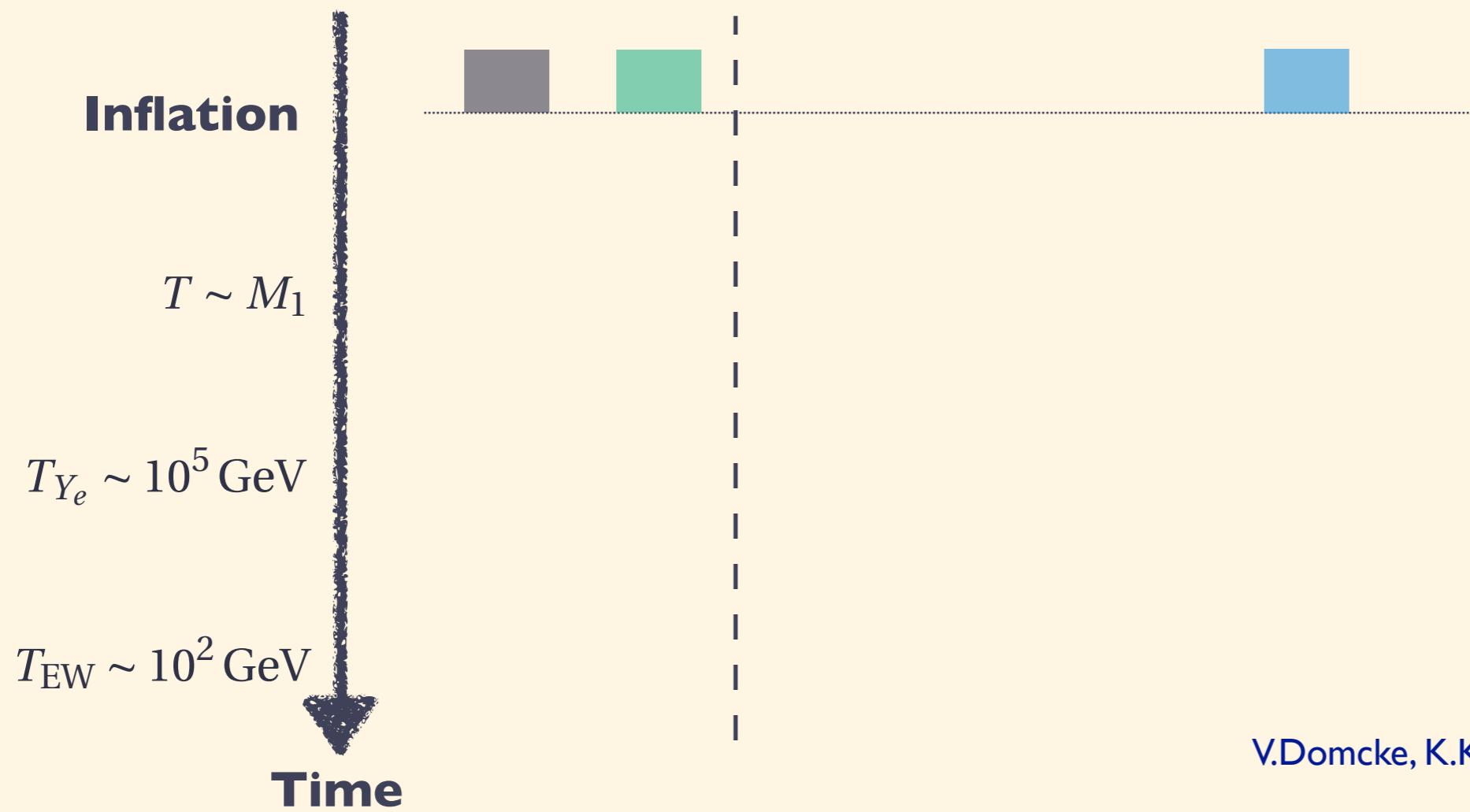
5.
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Leptogenesis from axion inflation

Leptogenesis

Axion Inflation + Majorana RH ν

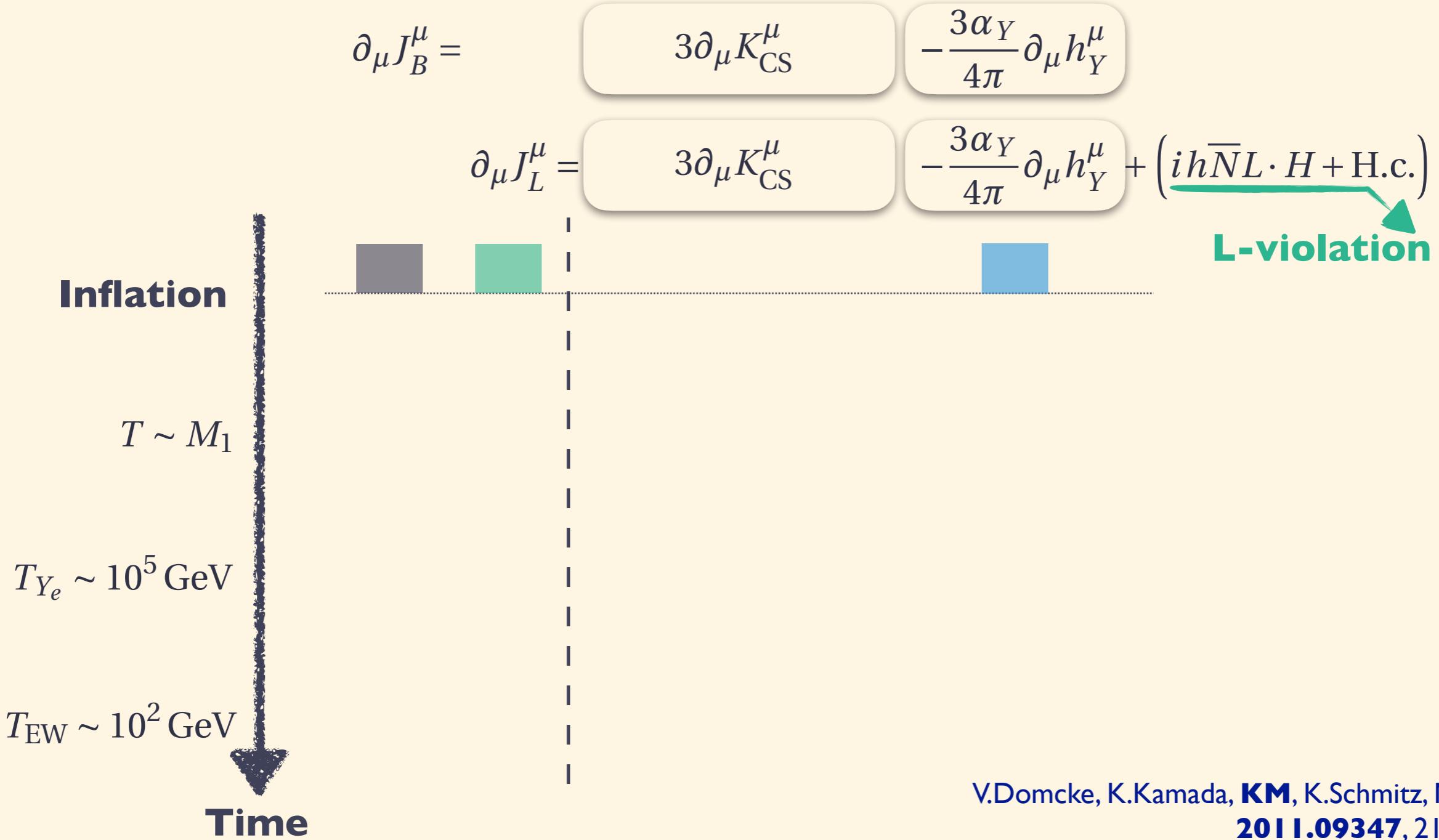
$$\partial_\mu J_B^\mu = \partial_\mu J_L^\mu = \frac{3}{32\pi^2} \left(g_2^2 W_{\mu\nu}^a \tilde{W}^{a\mu\nu} - g_Y^2 Y_{\mu\nu} \tilde{Y}^{\mu\nu} \right)$$



V.Domcke, K.Kamada, **KM**, K.Schmitz, M.Yamada
2011.09347, 21xx.xxxxx

Leptogenesis

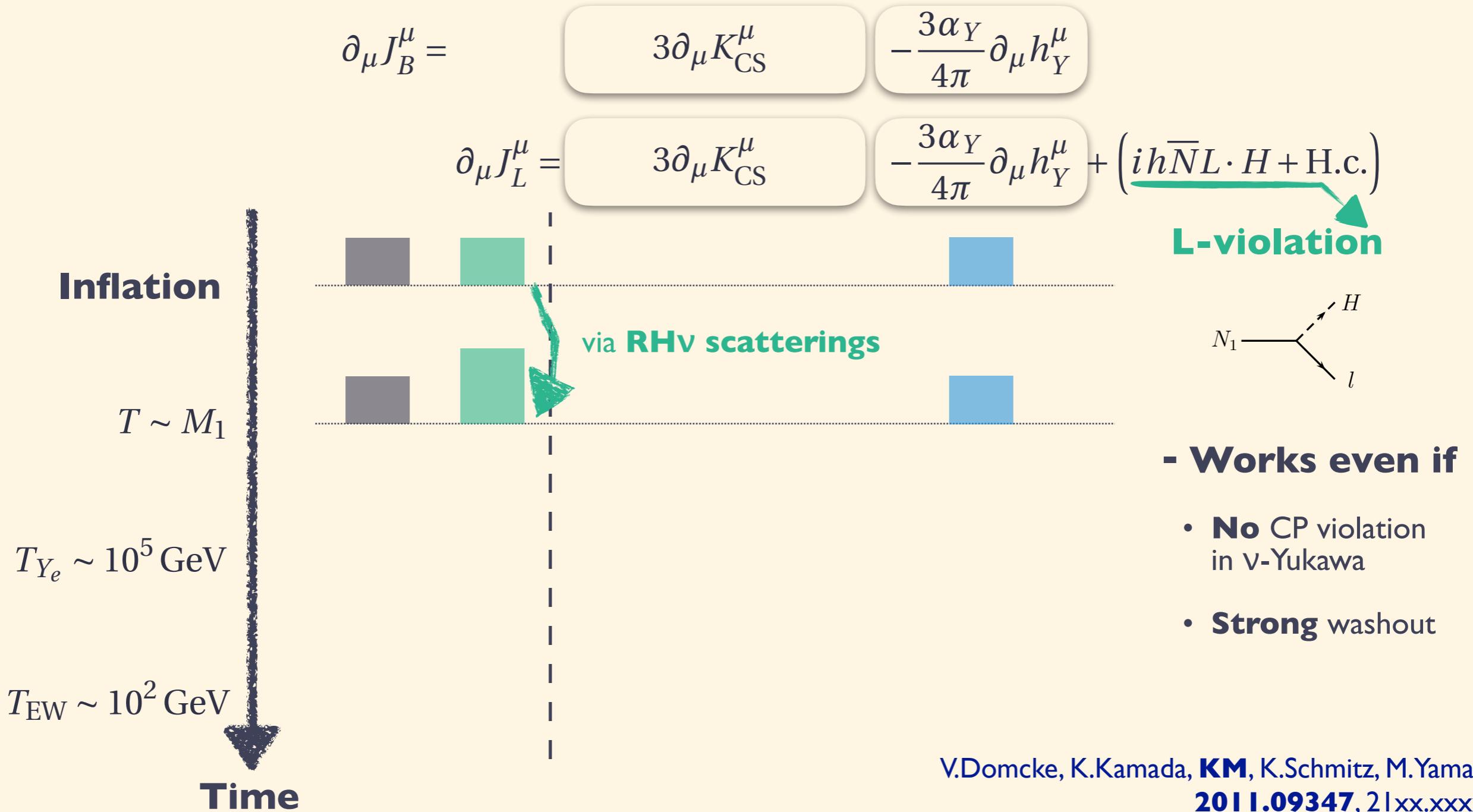
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V.Domcke, K.Kamada, **KM**, K.Schmitz, M.Yamada
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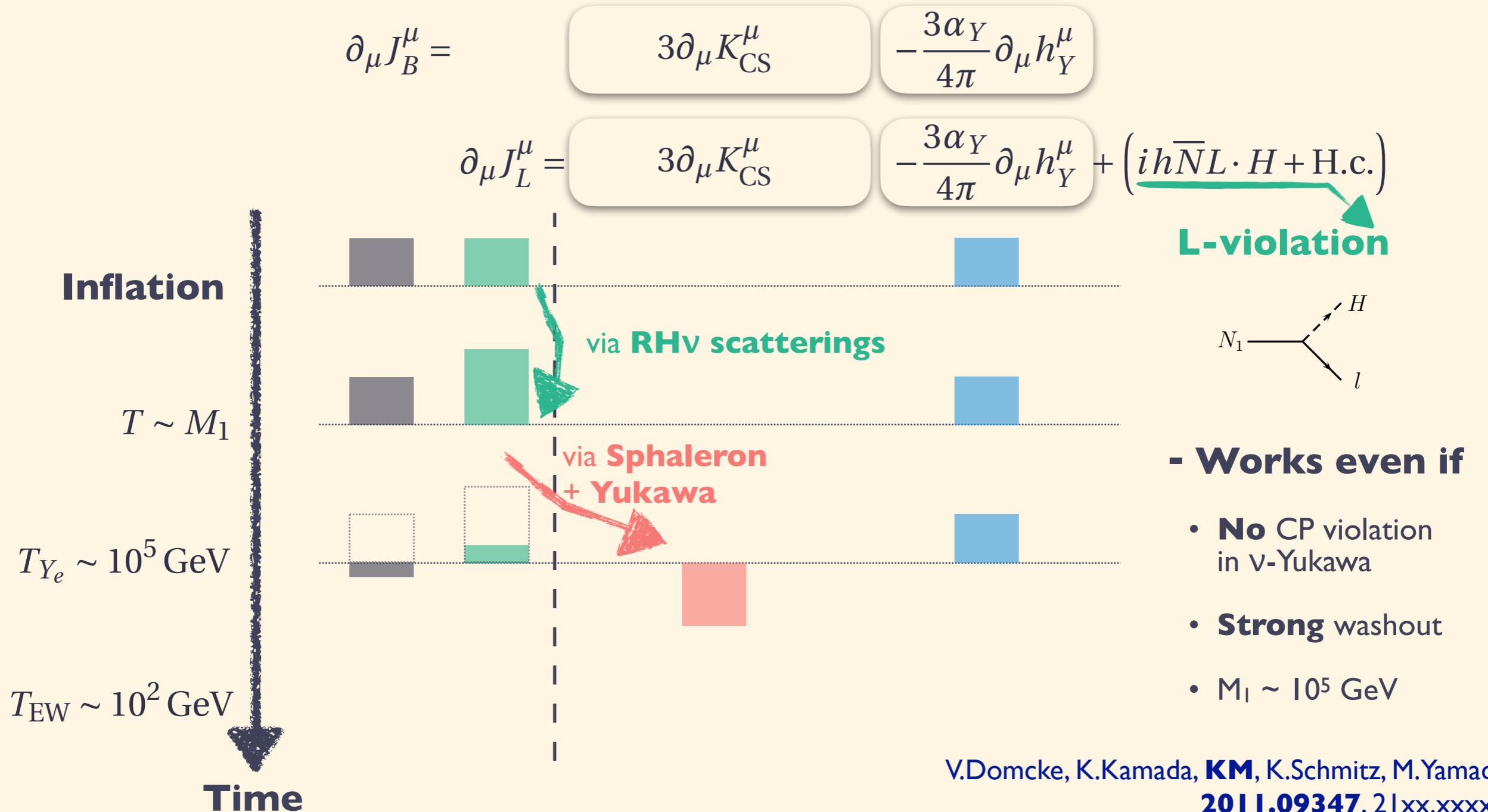
Leptogenesis

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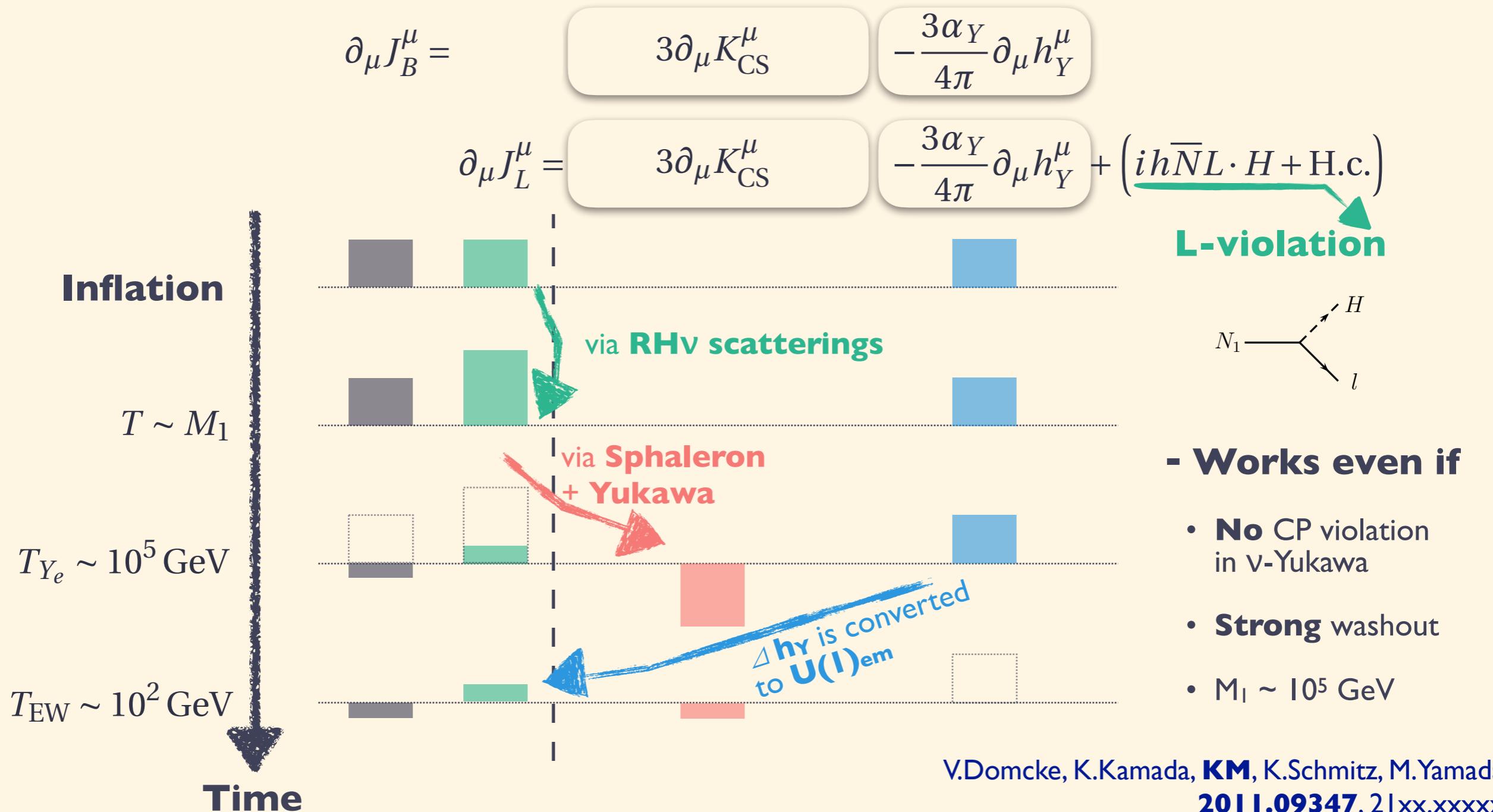
Leptogenesis

Axion Inflation + Majorana RH ν



Leptogenesis

Axion Inflation + Majorana RH ν



Summary

SM (+ RHv) + Inflaton w/ $U(1)_Y$ CS coupling

- Dual production of **B+L asymmetry & helical $U(1)_Y$**

$$\frac{\Delta q_{B+L}}{s} \Big|_{\text{rh}} = -\frac{3\alpha_Y}{2\pi} \frac{\Delta h_Y}{s} \Big|_{\text{rh}} \sim 10^{-9} \left(\frac{H_{\text{rh}}}{10^{12} \text{ GeV}} \right)^{\frac{3}{2}} \left(\frac{\langle \hat{E}_Y \cdot \hat{B}_Y \rangle_{\text{rh}} / H_{\text{rh}}^4}{10^4} \right) \quad @ \text{the end of inflation}$$

